

**SANT GHIRA GURU VISHWAVIDYALAYA
SARGUJA AMBIKAPUR (C.G.)**



**CHOICE BASED CREDIT SYSTEM
(CBCS)
2018-19**

Syllabus

Master of M.Sc. (Mathematics)



प्रस्तावित अकादमिक भवन

MATHEMATICS
SANT GAHIRA GURU VISHWAVIDYALAYA

Sarguja Ambikapur (C.G.)

CHOICE BASED CREDIT SYSTEM
(CBCS)

SYLLABUS
M.Sc. MATHEMATICS

SEMESTER SYSTEM
SESSION 2018-19



For Affiliated Colleges of
SANT GAHIRA GURU VISHWAVIDYALAYA
Ambikapur (C.G.) -497001

**SANT GAHIRA GURU VISHWAVIDYALAYA
SARGUJA, AMBIKAPUR (C.G.)
SANT GAHIRA GURU ORDINANCE 46:
MASTER DEGREE (P.G.) PROGRAMMES**

PROPOSED DRAFT ORDINANCE 46:

O.M.D.1.: This Ordinance shall be called "The Sant Gahira Guru Master Degree (Semester Study) Programme with Choice based Credit System.

O.M.D.2.: This Ordinance shall come into the force from the Academic Semester 2017-18.

Notwithstanding anything in the earlier laws of the Sant Gahira Guru Master Degree Programmes in the different faculties (*Ayurveda, Commerce, Education, Fine Arts, Law Life Sciences, Medicine, Management, Science & Social Sciences*) under the "semester system", the "Semester with Choice based Credit System" shall be regulated and conducted as per the provisions of this ordinance.

O.M.D.3. Definitions:

In this Ordinance, unless the context otherwise requires:

- a. "Academic Council" means Academic Council of the University.
- b. "Administrative Grade Letter" means the alphabet indicating the administrative comment in place of Grade Letter to indicate the Credit Withdrawn (W), Unfair Means (U), Absent in SEE (X). The Administrative Grade Letter has zero Grade Point associated with it.

c. **"Board of Studies"** means PG Board of Studies in any subject constituted under the university statutes.

d. **"Core Course"** means the course pertaining to main subject or theme of the master programme.

e. **"Credit"** means the unit by which the academic activity of course work is measured. In these Regulations, One Credit means one hour of Class Room Teaching per week in case of theory papers and 1.5 hours in practical / laboratory work.

f. **"Credit Courses"** means the course classified as Compulsory Core Courses(CCC), Elective Core Courses(ECC), Seminar (SEM),Project Work(PRJ), Field Study(FST), Self Study Course(SSC), Other Supportive Courses(OSC), Educational/Study Tour (EST) and Research Publications (RPJ).

g. **"Credit Monitoring"** means an act to monitor the credit by a Credit Monitoring Committee (CMC) consists of the Head (as Chairperson) and three senior most teachers on the Roll of the Department. In case, when the Department does not have the required number of the teachers in the department than the Vice chancellor may constitute the said committee by nominating the number of expert(s) required by the Ordinance from any other university or institute who are not below the post of Professor.

h. **"Credit Points"** means the product of 'credits assigned to the course' and 'the Grade Point secured for the same course by the student'.

i. **"Semester Grade Point Average (SGPA)"** means the Semester Grade Point average computed on the basis of the formula prescribed in the ordinance. It measures the performance of a student in a given Semester. The SGPA is the ratio of the 'total credit points earned by the student in all the credits earned in the concerned semester' and the 'total number of credits earned in that Semester'.

j. **"Cumulative Grade Point Average (CGPA)"** means the Cumulative Grade Point weightage average of SGPA computed on the basis of the formula prescribed for the entire Programme. It measures the overall performance of a student in a Master degree programme. The CGPA is the ratio of the 'total credit points earned by the student in all the credits earned in the Master degree programme' and the 'total number of credits earned in that Master degree programme'.

k. **"Degree"** means Post Graduate Degree in any subject.

l. **"Departmental Staff Council (DSC)"** means a Council of the Department consisting of its whole time faculty which falls in the category of teacher. The DSC will be empowered to consider and decide the academic matters, as specified in Master Degree Ordinances and Regulations.

m. **"Elective Course"** means the course, which can be offered as 'optional subject' to the provisions of this Ordinance and the respective syllabus from inter or intra subjects and or disciplines including interdisciplinary or multidisciplinary nature.

n. **"Fee"** means the fee prescribed by the University for the respective Master Degree Programme from time to time.

o. **"Grade Letter"** means the alphabet indicating the performance of a student in a particular course. It is the transformation of the scaled marks secured by the student in a Course. Grade letters are O, A, B, C, D, E, and F.

p. **"Grade Point"** means the numerical weightage allotted to each stratum of scaled marks corresponding to each 'Grade letter'. However, the "Administrative Grade Letter" as defined will represent the categories mentioned in the OMD.3 sub clause 'b' of this ordinance.

q. "Master Degree Programme" means a Masters Degree Programme in any subject studied at Master degree level under any faculty of the University.

r. "Semester End Examination (SEE)" means the examination due to be conducted after the end of the respective semester.

s. "Semester" means an academic term constituting 20(twenty) weeks. Each semester shall have at least 15 (fifteen) weeks of direct class room teaching. The Academic Year shall be of bi- semesters. Odd Semesters shall be normally from mid June to mid December and Even Semesters shall be from mid December to mid June.

t. "Student" means student admitted to Master Degree Programme in any subject being run under the University Ordinance and Regulations.

O.M.D.4.Course Structure:

1. A Master Degree programme shall consist of the duration of at least two academic years consisting four semesters. A candidate will be required to complete this programme within 4 years from the date of his/her first admission in the semester – I.

Provided that subject to the approval of the UGC Regulations, when the Master Degree Programme is of one academic year and spreads in the two academic semesters then the study has to be completed within a period of two years from the date of admission in the Semester – I.

2. Subject to the provisions of this Ordinance the programme/study shall be based on (a) Semester System Examination, (b) Continuous Assessment, (c) Choice Based Credit System, and (d) Semester Grade Point Average and Cumulative Grade Point/Average Systems.

3. "Core Course" means a 'course/subject', the knowledge of which is considered essential for a student of the respective programme. This may also include elective courses.

4. 'Elective Course' allow students to acquire knowledge and skills in areas of their choice. Such course(s) may be offered by concerned department and / or other departments within the university. This may be inter or/ and intra department/institution subject to the approval by the university.

5. The Course of respective Master Degree Programme shall have following (i) Course Code(CC), (ii) Course Title (CT), (iii) Course type such as Compulsory Core Courses(CCC), Elective Core Courses(ECC), Seminar (SEM), Project Work(PRJ), Field Study(FST), Self Study Course(SSC), Other Supportive Courses(OSC), Educational/Study Tour (EST) and Research Publications(RPJ) (iv) Credits Assigned, (v) Number of Contact Hours for Lecture(L), Tutorial (T) and Practical or other (P) to be assigned per week.

S No.	Course Code	Course Title	Course Type	Credits	Contact Hours Per week		
					L	T	P

6. Fifteen (15) hours of theory teaching will lead to one credit(which means one hour per week theory teaching in a semester is equivalent to one credit) and in case of practical 45 hours of laboratory work will lead to two credits. (Which means 3 hour practical classes per week in a semester is equivalent to two credits). Each semester of Master's course shall offer 30 credits or more. Number of semester of Examinations and minimum credit required to be earned for Master Degree in various post-graduate courses specified as under:

S No.	Course Code	Number of Semesters	Minimum Required Credit
1.	All Two Year Master Degree Programme	Four	120
2.	All One Year Master Degree Programme	Two	60

Note: The curriculum may be described in the syllabus in form of 'Courses' or 'Papers'. The number of papers, course type and credits with detailed syllabus for each course shall be described in the 'syllabus of the respective course'. Candidate will be required to earn minimum credits prescribed for the respective Master Degree.

7. Each course shall be assigned a specific number of credits. A course or paper is identified by a course code designated by a string of six alphanumeric characters and a course title. In a course code the first three characters of the string indicate the Department offering the course and the later three alphanumeric characters designate a particular course. In the case of compulsory core courses (CCC) the fourth character identifies the semester numeric digit and in case of the elective core courses (ECC) the fourth character indicates the cluster of specialization. For compulsory theory core courses the fifth character is '0', for laboratory core courses it is '1' and for project/seminar it is '2' and for research publications in journals it is '3'.

The examination shall comprise of the requirement of four (in case of one year course two) semesters and the Subjects for each semester will be as per the schedule of the structure of the Master Degree Programme with the particulars mentioned therein.

8. CBCS offers flexibility for effective teaching learning processes in terms of number of contact hours for Lecture (L), Tutorial (T) and Practical or other (P) to be assigned per week for a course or paper.

7. Type of courses

There shall be following categories of courses in the MASTER DEGREE Regular Programme:

9.1. Compulsory Core Course (CCC)

A course, prerequisite for a student to obtain the Degree in the concerned Programme.

9.2. Elective Core Course (ECC)

A course, which is to be chosen by the student from a pool of courses offered by the Department.

9.3. Other Supportive Course (OSC)

Subject to the availability of the course and provisions of university rules, a student admitted in a Master Degree Programme shall have option to offer **Other Supportive Courses** including Interdisciplinary (ID)/Multidisciplinary (MD) course/s offered by a Department/cluster of Departments. For formation of a cluster, two or more Departments shall come together for offering D/MD courses depending on their available expertise and infrastructure. The Departmental Staff Council (DSC) shall be competent to decide the nature and scope and number of such courses to be offered by the concerned Department in collaboration with other Department/s.

9.4. Self Study courses (SSC)

Since one of the main objectives of the CBCS is to enable the students to learn on their own. The Self Study course(s) shall be offered to realize this objective. A list of Self Study course(s) shall be designed by different faculty of the Department and after the approval of the DSC, the course(s) shall be made available to the students for self study. Such a course(s) shall have advisory academic support of the faculty, who proposed the course, and the same faculty shall evaluate the student at the end of the semester for a Course Report of 50 marks and a viva voce examination of 50 marks. The number of credits that can be earned in a semester in SSC shall be limited to 4.

9.5. Seminar (SEM):

The aim of the seminar is to give students exposure to recent developments and advance topic research interests. The seminar preparations can be undertaken only after the prior approval of the CMC of the Department. The CMC will allot Seminar Credits on merit basis out of desiring students. The said preparations will be undertaken under the guidance and supervision of a teacher of the parent department. No teacher will be allowed to guide more than three students at a time in a semester. The guiding teacher will make continuous internal assessment of the seminar. At the end of the 'Semester End Examination' the seminar will be conducted and credits will be awarded by a Board of three examiners consisting of the Head of the Department, guide and one faculty member other than a guide.

9.6. Project Work (PRJ) or Field Study (FST):

The aim of the Project Work or Field Work is to introduce students with the research methodology in the subject and to prepare them for pursuing research in theoretical, experimental or computational areas of the subject. The Project Work or Field Study has to be conducted under the guidance of a teacher of the concerned department or a scientist or any other suitable person with proven research excellence in the concerned field of study. One can conduct the Project Work or Field Work in an outside institution of national or international repute on the prior approval by the CMC of the department concerned.

The CMC will allot the Credits Project Work or Field Study to the desirous depending on their capacity and subject to the availability of the resources on the basis of their merit. The guiding teacher will make continuous

assessment of the Project Work or Field Study of a candidate under his/her supervision. SEE for the said Project Work or Field Study will be held at the unit where the study has been undertaken by a Board of three examiners consisting of the concerned Head, Guide/Supervisor and one other senior faculty.

9.7. Education Study Tour (EST):

Subject to the provisions of the syllabus of the concerned Master degree Programme, the concerned Department may arrange educational tour/study tour. It will be compulsory on the part of student to join the same and on completion of tour; he/she will be required to submit its report to the University Department. The time spent for the purpose will be considered for computation of attendances in the respective semester/term. The Department may design & arrange the educational tour considering nature, scope & requirement of the respective subject. The requirement of the tour has to be incorporated in the respective syllabus.

The university will determine the university contribution for tour for each student and escorting staff by administrative decision approved by the Finance Committee.

9.8. Research Publications in Journals (RPJ):

One research publication as a coauthor in a journal above impact factor 1.0 will be assigned two credits and that in other ISSN bearing journals will be assigned one credits.

10. A Master Degree study is a regular fulltime programme. Therefore, no student admitted in the said programme will be allowed to join any other programme of study during this period. This will be obligatory for the student to ensure that he has not sought admission in any other programme during this period.

O.M.D.5.Admission:

1. A candidate, who has passed Bachelor Degree programme in the concerned subject/discipline from this university or any other university established by law and recognized by the San Gahira Guru for the purpose of admission in the Master Degree programme of this university shall be eligible to apply for admission in the respective Master Degree programme of this university.

Provided further that a candidate, who has passed Bachelor Degree programme from the Faculty of Arts/Social Science shall be eligible to submit his candidature for any subject of the Master degree programme(s) of the said faculties except the Master degree programme in Mathematics run under the same faculties. A candidate can apply for Master Degree in Mathematics only when he has passed Bachelor degree with subject of Mathematics either from Faculty of Social Sciences/ Science.

2. The University may prescribe further stipulation with respect to minimum qualifications subject to the approval of the Academic Authorities of the university.

3. The University may prescribe different qualifications for different courses.

4. The admissions shall be granted strictly on the basis of the merit list.

5. The Department/ University may with the previous permission of the Vice-Chancellor (including the approval of the scheme entrance test/examination), hold entrance test and /or Oral examination for admission in the respective Master degree programme of the department.

6. In case when the Department conducts Entrance Test and/ or Oral Test, the university will give at least "Fifty per cent" weightage to the marks obtained by the candidate at the concerned qualifying examination.

It will be obligatory for the authorities involved in the admission process to strictly observe the reservation policy in admissions formulated time to time by the Union Government or State Government, UGC, Rehabilitation Council and adopted by the University. The data based information in this regard has to be provided to the university within a period of 15 days after the completion of the admissions in the respective degree.

Admitting authority shall have to prepare and publish the merit list in the two fold as mentioned below:-

- (i) Candidates, who have passed the qualifying examination indicating category against each of the name in the last column such as General/S.T./S.C./S.E.B.C./Physically Challenged/Women etc.
- (ii) Candidates, who have passed the qualifying examination from a foreign university.

Admission granted by the University/Department to any student shall be provisional till the enrolment/registration/enlistment is made by the University. When the admission is granted on the bases of provisional eligibility certificate, the conditions & instructions given by the University should be complied within the time limit fixed by the University or latest by the beginning of next semester otherwise, term kept by such students will be forfeited and no fees on any account will be refunded.

O.M.D.6.Medium of Instruction and Examinations :

English or Hindi shall be the medium of instruction & examination.

No student shall be allowed to change the medium to appear in the examinations once he/she has opted any medium for particular Semester.

No student shall be allowed to opt or write papers with two different medium in one examination.

4. Notwithstanding anything in this ordinance the University may declare English as compulsory medium for instructions and/or examinations for any Master Degree Course keeping academic considerations in mind

O.M.D.7.Mandatory Requirement of Attendance to appear in Examination:

1. The Choice Based Credit System (CBCS) Programme of the University is a comprehensive and continuous evaluation programme. Therefore; no students shall be allowed to appear in the examination unless he has at least 75% (seventy five per cent) attendance separately in all the papers/courses.
2. The respective term/ semester of the student shall be liable for rejection in case the attendance is short in any paper/subject due to the reasons, whatsoever.

Provided that the Vice chancellor may on the medical ground condone the requirement of attendance not exceeding 10 (ten percent) short to the required minimum attendance on the recommendation of the Head of the concerned Department that the illness was of such a serious nature (recorded by the doctor treating him/her) that it was beyond his or her control to attend the classes during the said period. The production of false certificate in this regard will be a ground for rejection from the Master degree programme and criminal action.

Provided further that the Vice chancellor may on any other reasonable ground condone 5% (five per cent) attendance lesser than to the required 75% (seventy five per cent) to his satisfaction on the recommendation of the concerned Head of the Department.

3. A student, who represented the university/ institution/ Department/ Centre/ State or Nation in Sports, N.C.C., N.S.S. Cultural or other Activities conducted and / or sponsored officially by such institution(s) or agencies shall be entitle to

relaxation of ten percent in the attendance required for the purpose. Such cases should also be recommended by the concerned Head before he/she proceeds for leave and forwarded his application with appropriate documents to prove his participation. Submission of his case without prior permission will not be considered in any case.

Explanation: The University in no case will grant relaxation in attendance to a student, separate or combined on all the heads mentioned in O.M.D. 7 exceeding 15% (fifteen percent). Therefore, no candidate, who does not have 60% (sixty) or more than 60% (sixty per cent) attendance, will not be allowed to appear in the examination for reasons and grounds whatsoever.

O.M.D.8. Advisory for Students:

Each Department shall develop 'Advisory Mechanism' to address complex nature of the issues including advice to elect the course(s) from the category of elective courses.

Each Department will appoint Advisors in appropriate number required for the purpose.

The Department may Prepare "Student Hand Book" containing the detail of the courses available at the Department. This includes both the 'Core' and 'Elective Course (s)'.

A student subject to the availability of the elective courses will be required opt course(s) and submit his 'Option in writing' in triplicate on the prescribed 'Forma' for his registration in the concerned semester to the Head of the Department immediately after the commencement of the respective semester; i.e. on or before the last date notified by the concerned department.

5. The last date for registration and permission for election of subject should not exceed more than two weeks after the commencement of the semester.
6. A student may be permitted to withdraw from his registration from two weeks from the date of the registration.
7. A student may be permitted to withdraw from/change elective subject opted by him after the allocation. However, /she will not be allowed to withdraw/ change the same on before the last date fixed for exercising his/her option to opt the same. Provided further that no student will be allowed to withdraw or change the option, who has been allowed for registration/permission or entry.

O.M.D.9. Semester Schedule:

1. A Semester shall consist of the duration of Fifteen weeks (15 working Days)
2. First Semester of each Academic year will commence from 15th of every Academic year.
3. Mid-academic year Semester(s) will commence on the stipulated date notified by the university or within in a period of seven days after the completion of the examination of the preceding semester for those students, who fall in this category can seek provisional admission.
Their admission will be regularized within a period of seven days after the date of the declaration of the result of the said semester.

O.M.D.10. Examination Schedule:

1. **Proposed Time of Examinations:** The examinations of the "Even Semester(s)" shall commence in the month of May in case of "Odd Semester(s)" it may commence in the month of December.

Examination Application: A candidate shall be required to apply on the prescribed 'Examination Application Form' for the 'Semester End Examination' to the Registrar/Dean/Controller of Examinations through the Head of the concerned Department.

'Examination Application Form' must consist with following particulars and certificates signed by the appropriate authorities:

- (a) Candidate has attended minimum number of lectures etc. in respect of all the Courses.
- (b) Statement of 'No due Certificate' with regard to all the dues including the fee due on all the heads.

O.M.D.11. Salient Features of the Choice Based Credit System:

PG Departments of the different Faculties of the University shall design the Semester based Choice Based Credit System (CBCS) for Master Degree programme. Students will be provided choice to select courses offered by the respective Department of the same faculty or any other Department of the same or any other Faculty, depending on his/her interest, needs and long term goals as well as the feasibility in terms of the available expertise and infrastructure at the Department level.

2. Each PG Department shall design and offer courses after the due consideration and approval of the **Departmental Staff Council (DSC)** and concerned authorities of the University.
3. **Composition of the DSC:** The DSC shall consist of all the regular faculty of concerned Department and the Head of the Department shall chair it. The DSC shall recommend to the Vice chancellor for approval the constitution of "Credit Monitoring Committee (CMC)", which consists of the Head of the Department and three senior most teachers of the

department. The Department having the faculty strength of less than three (including HOD) shall co-opt maximum up to two members of the rank of Professor of the same subject from other Universities with the permission of the Vice-Chancellor. The Vice chancellor shall have prerogative to drop, alter or substitute any name suomoto or on the further recommendation of the same. In the absence of the HOD, the DSC/CMC shall be chaired by the next senior faculty member of the concerned Department.

4. Registration of candidates in first and subsequent semesters after the last date will not be permitted. For subsequent semesters, no minimum credit earning criteria will be applicable. Credit registration at least once in all Compulsory Credit Course shall be binding. However, earning all CCC credits for accumulation of the prescribed minimum credits shall not be required.

5. A student shall be evaluated through CCA (Comprehensive Continuous Assessment) and Semester End Examination (SEE). The distribution of marks between the CCA and the Semester end examination shall be in the ratio of 30:70. Each paper/ Course shall consist of 100 marks .However; the Programme governed by the provisions of different Councils in case of inconsistency shall be exempted from this requirement

6. The candidate will be required to finalize the number of credits at the time of the registration in the semester and no change will be permitted after seven days of the commencement of the semester. The CMC of the concerned Department will forward the credits registration detail of all the students enrolled in the semester. The prior approval of the CMC will be essential and its decision shall be final and binding.

7. Each course shall be assigned a specific number of credits.

The marks obtained by a student in a course shall be converted into Grade Points and Credit Points based on scale-normalized marks. The performance of a student in a Semester shall be expressed as Semester Grade Point Average (SGPA) and the combined performance of a student in all the semesters of the Master degree programme shall be expressed as Cumulative Grade Point Average (CGPA).

9. The Department is under obligation to arrange all Compulsory Core Courses and the special number of Elective Core Courses so that the students enrolled for the course can complete/obtain prescribed minimum number of credits. However, it will not be at all obligatory for the department to make provision for all the Elective Core Courses. Department can add, remove or substitute any course and course both in the Core and/or Elective Course(s).

10. There will be no provision to conduct supplementary, due paper of special examination for any examination. Students with 'F' or 'E' Grade will be provided an option to re-register themselves in the said course subject to their desire as 'Self Study Course' or in a 'Regular Course' subject to the feasibility and availability of the resources in the department. The credit earned will not be considered in any case if the candidate has not re-registered and the same has not been approved by the CMC of the department at the time of the registration in the respective semester.

O.M.D.12. Credits: Weightage and Distribution:

1. The term 'Credit' refers to the weightage given to a course and means the unit by which the academic activity of course work is measured. In these Regulations, One Credit means one hour of Class Room Teaching per week in case of theory papers. For a theory course of 6 credits, 6 'contact hours' per week will be assigned in time-table and thus in a semester 90 contact hours will be assigned to a 5 credit course.

department. The Department having the faculty strength of less than three (including HOD) shall co-opt maximum up to two members of the rank of Professor of the same subject from other Universities with the permission of the Vice-Chancellor. The Vice chancellor shall have prerogative to drop, alter or substitute any name submitted or on the further recommendation of the same. In the absence of the HOD, the DSC/CMC shall be chaired by the next senior faculty member of the concerned Department.

4. Registration of candidates in first and subsequent semesters after the last date will not be permitted. For subsequent semesters, no minimum credit earning criteria will be applicable. Credit registration at least once in all Compulsory Credit Course shall be binding. However, earning all CCC credits for accumulation of the prescribed minimum credits shall not be required.

6. A student shall be evaluated through CCA (Comprehensive Continuous Assessment) and Semester End Examination (SEE). The distribution of marks between the CCA and the Semester end examination shall be in the ratio of 30:70. Each paper/ Course shall consist of 100 marks. However, the Programme governed by the provisions of different Councils in case of inconsistency shall be exempted from this requirement

7. The candidate will be required to finalize the number of credits at the time of the registration in the semester and no change will be permitted after seven days of the commencement of the semester. The CMC of the concerned Department will forward the credits registration detail of all the students enrolled in the semester. The prior approval of the CMC will be essential and its decision shall be final and binding.

Each course shall be assigned a specific number of credits.

The marks obtained by a student in a course shall be converted into Grade Points and Credit Points based on scale-normalized marks. The performance of a student in a Semester shall be expressed as Semester Grade Point Average (SGPA) and the combined performance of a student in all the semesters of the Master degree programme shall be expressed as Cumulative Grade Point Average (CGPA).

9. The Department is under obligation to arrange all Compulsory Core Courses and the special number of Elective Core Courses so that the students enrolled for the course can complete/obtain prescribed minimum number of credits. However, it will not be at all obligatory for the department to make provision for all the Elective Core Courses. Department can add, remove or substitute any course and course both in the Core and/ or Elective Course(s).

10. There will be no provision to conduct supplementary, due paper of special examination for any examination. Students with 'F' or 'E' Grade will be provided an option to re-register themselves in the said course subject to their desire as 'Self Study Course' or in a 'Regular Course' subject to the feasibility and availability of the resources in the department. The credit earned will not be considered in any case if the candidate has not re-registered and the same has not been approved by the CMC of the department at the time of the registration in the respective semester.

O.M.D.12. Credits: Weightage and Distribution:

1. The term 'Credit' refers to the weightage given to a course and means the unit by which the academic activity of course work is measured. In these Regulations, One Credit means one hour of Class Room Teaching per week in case of theory papers. For a theory course of 6 credits, 6 'contact hours' per week will be assigned in time-table and thus in a semester 90 contact hours will be assigned to a 5 credit course.

2. The minimum number of credits to be earned for a degree will be 30 times the number of semesters specified in the syllabus for the course. For example for a two year four semester course the minimum numbers of credit to be earned will be 120. In case where a candidate earned more than the minimum number of credits specified, the best credits upto minimum number of credits will be considered for CGPA. However, the total credits for different courses may be different subject to the nature and design of the course concerned and norms formulated by the regulatory authorities.

3. **Distribution of Credits:** Ordinarily, all semester shall have uniform distribution of credits.

4. **Credit Card:** Every department will be under an obligation to maintain academic credit card on the prescribed Performance developed and provided by the University Examination Department for students. The Credit card shall be issued to the students before the commencement of the next semester and a student will be under the obligation to attach the copy of the same with the application for registration as student in the next semester. The department will prepare two copies of the Credit Card one each for the student and for the office record of the department.

O.M.D.13. Assessment and Evaluation:

1. The CBCS is student centric not only in the teaching-learning processes but also in their evaluation process. In CBCS, the evaluation process is divided into two parts. The first part consists of Comprehensive Continuous Assessment (CCA) and the second part consists of the Semester End Examination. The division of marks between the two shall be as per the provisions of this ordinance in ratio 30:70. In the CBCS, the evaluation process shall follow the norm that the faculty, who teaches the course, shall conduct the

Comprehensive Continuous Assessment (CCA) and the Semester End Examination (SEE). The concerned faculty shall be accountable for transparency and reliability of the entire evaluation of the student in the concerned Course.

2. The comprehensive continuous assessment and evaluation (based on the performance of the student) process in CBCS is in continuous model is conducted for the purpose to bring periodically in to the notice of the candidate about his/her progress. The assessment is divided into four discrete components for reporting the scores to the student as earned by him/her. The CMC shall announce policy for CCA for all the courses in the Department in the beginning of the Semester and the same shall be communicated to the students.

3. The details of the Comprehensive Continuous Assessment and Semester End Examination are summarized in the Table below:

Component	Unit covered in a Course/Paper	Mode of Evaluation	Weightage in Percentage	Marks	Period of Continuous Assessment
CCA-I	First 30%	Assignment/Field-Project Study/ Tour	10%	10	First part of the Semester. *Completed by the Fifth(5 th) Week.
CCA-II	Succeeding 30%	Seminar Presentation	10%	10	Second part of the semester. *Completed by the Tenth(10 th) Week.
CCA-III	Remaining 40%	Written/MCQ Test	10%	10	Third part of the Semester. *Completed by the Fifteenth(15 th) Week.
CCA-Sub Total			30%	30	
SEE	100%	Semester End Examination	70%	70	To be completed between 18 th - 20 th week of the Semester.

4. The marks/ grades awarded for the continuous assessment shall be notified to the students within a period of ten days from the date of the completion of the assessment. In case a student fails to secure 12 out of 30 in the CCA (all three components taken). He/she shall not be allowed to appear for the Semester End Examination.

5. Students may seek clarifications within period of a week from the date of the notification of the said result. No clarifications will be entertained after the expiry of the said period.

6. The Department will constitute a committee consists of three members and the Head will be the ex officio chairperson of the Committee to supervise the whole Examination Process.

7. The marks awarded by the teacher(s) are shall be kept confidential unless moderated and approved by the CMC/Dept. Examination committee constituted for the purpose. The Committee shall be under consideration to maintain the standards of the evaluation.

O.M.D.14. Semester End Examination:

1. Semester End Examination shall be conducted between 18th - 20th week of the semester.

2. The duration for per course shall be of three hours for theory courses and four hours for practical/laboratory courses, and half hour for seminar, project work or field study presentations.

3. Question papers for Semester End Examination shall be set keeping in mind to examine the candidates' creativity, comprehension, problem solving capacity, application side of the subject, interpretation and awareness capacities. It should not be expected from the students to reproduce the answers by memorizing the answers.

Paper Setting:

4.1.1. The question paper for the end-semester examinations for each course shall be set by the paper setter appointed for the purpose. It shall be the responsibility of the paper setter to ensure that the syllabus for the course is adequately covered in the question paper.

4.1.2. The questions may comprise; objective type, short notes, Descriptive or any other types as per the policy developed and designed by the department and approved by the competent academic authorities of the university and notified in advance. The University may retain the earlier pattern of setting papers which includes the requirement of 10/8 questions and students may be provided with choice to answer respectively 5/4 questions. The maximum marks of SEE shall be 70. All questions shall carry the marks mentioned in the paper.

4.1.3. The answer scripts for End-Semester Examinations shall be evaluated preferably, by the respective paper-setters and of the mechanism developed by the university.

4.2.1. **Appointment of paper-setter/examiner:** The Boards of Studies in each subject shall draw a panel of paper-setters/examiners ordinarily in the month of August every alternate year and forward the same to the Academic Council which shall approve the panel, the Paper-Setter/Examiner. While drawing the panel, the Chairman of the Board of Studies shall take into consideration the confidential aspect of the assignment.

The Vice chancellor if present preside the meeting of the Board but will not cast his vote. In his absence the Chairperson of the Board will preside the meeting.

However, the University may constitute group of teachers to set the paper through workshop method.

Provided further that the university may develop question bank with the help of examiners appointed subject to the provisions of this ordinance.

4.2.2. A person to be appointed as a Paper –Setter must be full time teacher of the University/Colleges having least 3 years Post Graduate teaching experience.

4.2.3. However, in exceptional circumstances, the Vice-Chancellor may relax the condition of experience and or alter or remove any paper setter.

4.3.1. Moderation Board and moderation of Question Papers:
There shall be a Moderation Board for each subject/programme of study and it shall consist of-

- a) Dean of the School concerned
- b) Head of the concerned Department,
- c) Two senior teachers nominated by the Head of the Department/ Departmental committee recommended by the Dean of school and finally approved by the Vice Chancellor.

4.3.2. The functions of the Board shall be:

- a) To ensure that the question paper has been set strictly in accordance with the syllabus and instructions given by the University covering broad areas adequately.
- b) To delete question(s) set from outside syllabus and to make necessary substitution, if required.
- c) To remove ambiguity in the language of question, if any,
- d) To moderate the questions properly giving ample opportunity to candidates of both average and exceptional capabilities,

e) To ensure proper distribution and indication of marks for each question or part or parts thereof, time prescribed for the paper and to correct errors, if any, in this regard.

f) To bring to the notice of the Controller of Examinations lapses or omission on the part of the Paper-Setter, if any.

4. Evaluation:

1. The CBCS is student centric scheme, not only in the teaching-learning processes but also in the evaluation process.
2. In CBCS, the evaluation process is divided into two parts. The first part consists of Comprehensive Continuous Assessment (CCA) and the second part consists of the Semester End Examination.
3. The division of marks between the two shall be as per the provisions of this Ordinance i.e. the CCA will have a weightage of 30 and SEE of 70 out of 100.
4. In the CBCS, the evaluation process shall follow the norm that the faculty, who teaches the course, shall conduct the Comprehensive Continuous Assessment (CCA) and the Semester End Examination (SEE) and the concerned faculty shall be accountable for transparency and reliability of the entire evaluation of the student in the concerned Course.
5. In Comprehensive Continuous assessment and Semester End Examination evaluation for each course shall be carried out on the basis of performance of students.
6. Continuous Assessment means 'internal assessment tests' or 'sessional tests' and end-on semester means theoretical or practical laboratory examinations along with

Project work/Field study/Educational Tour or preparatory dissertation or Term paper.

7. Each course shall carry credits as may be prescribed by the Board of Studies time to time in the syllabus. The weightage assigned to 'Continuous Assessment' and 'Semester End Examination' shall be taken into consideration for the purpose of determining the grade obtained by the student in a course.

8. Grade point shall be calculated for each course in 10 point scale system on the basis of total marks obtained in Course and SEE.

9. The Vice Chancellor on the recommendation of Board of Studies and approved by the Academic Council shall appoint Paper Setter-cum Examiner or constitute Board of Examiners for each course of study subject to the provisions of this Ordinance.

10. The Semester End Practical Examinations shall be jointly conducted by an external and an internal examiner.

O.M.D.15. Result Preparation:

1. The final result of the examination shall be prepared on the basis of 'comprehensive continuous assessment' and 'semester end examination' along with credits earned by the respective student.

The results after computation and tabulation shall be placed before the Vice Chancellor for approval after it has been moderated/scrutinized by a Board consisting of the Head of the concerned Department and not less than two faculty members appointed by the Dean.

2. Grade Assignments:

The grades in a course will be assigned on the basis of combined marks obtained in CCA and SEE. The total of maximum marks in CCA and SEE shall be 100 in all courses with a weightage of 30% to CCA. The letter grades and points will be assigned as per table given below.

Total Marks of CAA and SEE	Grade	Grade Definition	Grade Point
90 < X ≤ 100	O	Outstanding	10
80 < X ≤ 90	A	Excellent	9
70 < X ≤ 80	B	Very good	8
60 < X ≤ 70	C	Good	7
50 < X ≤ 60	D	Fair	6
39 < X ≤ 50	E	Average	5
Les than 40	F	Failed	0

3. **Credit Point Assignments:** Credit points earned in a course will be equal to product of Credit assigned to the course in the syllabus and grade point earned by the student on the basis of combined score in CAA and SEE.

4. Grade Card and /Mark sheet:

The University will issue the 'Grade Card' and 'Mark Sheet' at the end of each semester to each student registered for the respective course from the examination. The Grade Card shall consist of at least the following particulars:

Basic Details: i. Name of the Student. ii. Father's Name. iii. Roll Number. iv. Enrolment / Registration / Unique Number.

Performance Details: For each course i. Course Code. ii. Course Title, iii Course type, iv. Credit of course, v. CAA marks, SEE Marks, Total Marks, Grade Point, Credit Point

Summary Performance Details: i. Total credit points earned the semester, ii. Total credit earned in the semester, iii. SGPA, iv. Credit earned in Previous Semesters and v. CGPA (calculated till the end of current semester)

5. Semester Grade Point Average (SGPA) and Cumulative Grade Point Average (CGPA) will be calculated on the weighted average of the grade points obtained as given below.

$$CGPA = \frac{\sum_{i=1}^n C_i P_i}{\sum_{i=1}^n C_i}$$

Where

C_i : Number of credits earned in the i^{th} course Semester for which SGPA is to be calculated.

P_i : Grade Point Earned in i^{th} course

i : 1, 2, ..., n represents the number of courses in which student is registered in the concerned semester.

$$SGPA = \frac{\sum_{i=1}^n C_i P_i}{\sum_{i=1}^n C_i}$$

Where

C_i : Number of credits earned in the i^{th} course of Course till date for which CGPA is to be calculated.

P_i : Grade Point Earned in i^{th} course

i : 1, 2, ..., n represents the number of courses in which a student is registered in the concerned semester.

6. The Cumulative Grade Point Average (CGPA) of all the courses after completing the programme or all semesters at the final stage of study shall be awarded in the Final Cumulative Grade Card. The Final Grade of the Master degree programme will be assigned on the basis of Final CGPA as per table given below.

CGPA	Letter Grade	Classification
9.00 to 10.00	O	Outstanding
8.00 to 8.99	A	Excellent
7.00 to 7.99	B	Very good
5.50 to 6.99	C	Good
4.50 to 5.49	D	Fair
3.60 to 4.49	E	Average
O to 3.59	F	Failed

Equivalent Percentage of marks may be computed as ten times of CGPA. The candidates with CGPA equal to or higher than 5.5 (Letter Grade C) will be considered with good academic record and shall be treated as eligible wherever the minimum percentage of 55% is specified.

In case of LLM examination and other cases wherever specified specifically the candidates with CGPA less than 4.8 will be declared failed.

M.D.16. Promotion Rules:

A candidate is eligible to continue the classes of next semester immediately after the examinations of one semester is over and he/she can appear the next semester examination with any number of back/arrear papers.

A candidate shall have to appear in 1st semester examinations to be eligible for promotion to 2nd semester. If and student could not appear or apply for 1st semester examination then he/she must have to take re-admission in 1st semester afresh.

A candidate may get chance to clear the all courses double the duration of the course of study, i.e. for 2 year course within four years, for 3 year courses within 6 years, for 4 year courses within eight years and for 5 year courses within ten years.

O.M.D.17.: When a candidate at a 'University Semester End Examination' fails to obtain minimum marks for passing in a particular courses he/she will be required to reappear in that

course without keeping term for that semester. The candidate have to reappear in the semester end examination by paying examination fee along with an application form. Such candidate who obtains minimum or more than minimum marks for pass in the course, his/her actual marks of reappearance will be carried forward for award of class/CGPA.

O.M.D.18. RANKS:

First and Second Ranks will be awarded after completion of course of study at the end of the final semester examination or day of publication of final results.

On the basis of Average percentage of results as declared and on this basis of CGPA, Ranks will be awarded to the candidates subject.

O.M.D.19. General Guidelines:

- i) There will be no provision for repeat of betterment i.e. scope appearing and paper again for obtaining better result.
- ii) If a candidate after admission in first semester could not continue the classes or could not obtain eligibility to re-admission in first semester examination then he/she is to not be allowed to continue study in other semester.
- iii) Candidates should be registered under Sant Gahira Gur within 3 months of study, if not obtained earlier. The condition for obtaining Registration must be followed as specified in the Application form. Without Registration number of Sant Gahira Guru no students will be allowed to get admission in first semester examination or 2nd semester course of study.
- iv) The dates of commencement and termination of each semester shall be as fixed by the Academic Council.

It will be obligatory for the Head of Department to take appropriate measures against Ragging & Gender problems arising in the University Department. In case of occurrence of any such incident, the violator shall be dealt with very seriously and appropriate stringent action be taken by the Head of Department by observing principle of natural justice. The Head of Department may appoint a committee to inquire in to the matter which will also observe the principle of natural justice. The committee will submit its report to the head of Department who will forward the, same with his comment there upon to the University Registrar, for taking further necessary action in the matter.

Candidates must forward their applications for admission to University examination to the registrar on or before the prescribed date with a certificate of attendance duly signed by the Head of the Department along with the examination fees fixed by the University.

Thirty percent internal evaluation shall be within the exclusive purview of the concerned Head of Department which requires purity, transparency accuracy in the evaluation & assessment of students. The benefits of re-assessment scheme will not be made available to the students as regards the internal assessment.

ii) There will be theory and practical examination if prescribed in the syllabus, at the end of the fourth semester. The viva voce examination will be conducted at the end of the fourth semester.

Subject to the provisions of University Act., Statutes, Ordinances, Rules and Regulations, the University will prepare, design and enact syllabus/prospectus for different Master Degree programmes under the different faculties time to time.

O.M.D.20.: EMPOWERING CLAUSE: Subject to the provisions of this ordinance, the University shall run Master Degree programme(s) prepared and approved by the Academic authorities of the University including the Board of Studies and Faculty of the respective subject and approved by the Academic Council and the Executive Council.

Semester Structure Table

Appendix

Note: The Department Staff Council may subject to the approval of the Board of Studies of the respective subject, respectively the Faculty and the Academy Council of the University, may way of addition or deletion introduction of new or additional subject or amend the given scheme including the increase the number of papers under the same code number or inserting additional or new code numbers.

Provided further that the University may design different CE scheme for the different Master Degree program depending on their nature, scope & requisites. In such situation, the scheme will be notified with semester wise detailed evaluation scheme and the syllabus of the respective subject/course.

Thus the actual semester structure table may vary for the different master degree programme. The one given below is for an example.

ABC: In tables given below ABC shall be replaced by Three Letter Subject Code of the degree programme for example PH for M.Sc. Physics.

The table assumes that six cluster A, B, C, D, E, F are available for Elective Core Courses each involving four courses labeled like A01, A02, A03, A04.

The Interdisciplinary courses are classified under OSC

First Semester Structure Table

Subject Code	Course Title	Course Type	Credit	Contact Hours Per week			EoSE Duration (Hrs.)		
				L	T	P	L	Thy	P
ABC 101		CCC	6	4	2	0	3	0	0
ABC 102		CCC	6	4	2	0	3	0	0
ABC 103		CCC	6	4	2	0	3	0	0
ABC S01	Other Supportive Course	OSC	6	4	2	0	3	0	0
ABC A01/B01/C01/D01/E01/F01		ECC	6	4	2	0	3	0	0
			30						

Second Semester Structure Table

Subject Code	Course Title	Course Type	Credit	Contact Hours Per week			EoSE Duration (Hrs.)		
				L	T	P	L	Thy	P
1, ABC 201		CCC	6	4	2	0	3	0	0
2, ABC 202		CCC	6	4	2	0	3	0	0
3, ABC 203		CCC	6	4	2	0	3	0	0
4, ABC 221		PRJ/FST/EST	6	4	2	0	3	0	0
5, ABC A02/B02/C02/D02/E02/F021		ECC	6	4	2	0	3	0	0
			30						

M.Sc. (Mathematics) FIRST SEMESTER

Third Semester Structure Table

S. No.	Subject Code	Course Title	Course Type	Credit	Contact Hours Per week			EoSE Duration (Hrs.)
					L	T	P	
1.	ABC 301		CCC	6	4	2	0	3
2.	ABC 302		CCC	6	4	2	0	3
3.	ABC 303		CCC	6	4	2	0	3
4.	ABC S02		OSC	6	4	2	0	3
5.	ABC A03/B03/C03/D03/E03/F03		ECC	6	4	2	0	3
				30				

Fourth Semester Structure Table

S. No.	Subject Code	Course Title	Course Type	Credit	Contact Hours Per week			EoSE Duration (Hrs.)
					L	T	P	
1.	ABC 401		CCC	6	4	2	0	3
2.	ABC 402		CCC	6	4	2	0	3
3.	ABC 403		CCC	6	4	2	0	3
4.	ABC 421		PRJ/FST/EST	6	4	2	0	3
5.	ABC A04/B04/C04/D04/E04/F04		ECC	6	4	2	0	3
				30				

Course Code	Course Type	Course (Paper/ Subjects)	Credits	Contact Hours per Week			EoSE Duration (Hrs.)
				L	T	P	
MSM 101	CCC	Advanced Abstract Algebra (I)	6	4	3	0	3
MSM 102	CCC	Real Analysis (I)	6	4	3	0	3
MSM 103	CCC	Topology (I)	6	4	3	0	3
MSM S01	OSC	Research Methodology & Computer Application : Basic					
MSM A01	ECC/CB	Advanced Discrete Mathematics (I)	6	4	3	0	3
MSM A02	ECC/CB	Differential Geometry					
MSM A03	ECC/CB	Mathematical Programming	6	4	3	0	3
MSM A04	ECC/CB	Complex Analysis (I)					
MINIMUM CREDITS IN INDIVIDUAL SUBJECT IS 6 AND IN COMPLETE SEMESTER IT WOULD BE 30			TO TAL				≈30

M.Sc. (MATHEMATICS) I SEMESTER
COURSE CODE: MSM101
COURSE TYPE: CC

COURSE TITLE	
ADVANCED ABSTRACT ALGEBRA - I	
CREDIT:	
THEORY: 6 PRACTICAL: 0	HOURS:
	THEORY: 90 PRACTICAL: 0
MARKS:	MARKS:
THEORY: 100 (20+80)	THEORY: 80 PRACTICAL: 0

Unit 1 - 18 hrs.
 Groups - Normal and subnormal series. composition series
 Jordan-Holder theorem. Solvable groups. Nilpotent group
 Direct product, commutator sub-group of group.

Unit 2 - 18 hrs.
 Modules - Cyclic modules. Simple modules. semi-simp
 modules Schuler's Lemma. Free modules. Quotient modul
 homomorphism of module.

Unit 3 - 18 hrs.
 Linear Transformations - Algebra of linear transformatio
 characteristic roots, matrices and linear transformations.

Unit 4 - 18 hrs.
 Canonical Forms - Similarity of linear transformations.
 Invariant subspaces. Reduction to triangular forms. Nilpotent
 transformations. Index of nilpotency. Invariants of a nilpotent
 transformation. The primary decomposition theorem. Jordan
 blocks and Jordan forms.

Unit 5 - 18 hrs.
 Smith normal form over a principal ideal do-ain and ran
 Fundamental structure theorem for finitely generated module
 over a principal ideal domain and its applications to finite
 generated abelian groups.

SUGGESTED READINGS

P.B. Bhattacharya, S.K. Jain, and S.R. Nagpaul, Basic
 Abstract Algebra III Edition) Cambridge University
 press, 1997. (Indian Edition)

I. N. Herstein: Topics in Algebra, Wiley Eastern Ltd.
 D. s. Malik, J.N. Mordeson and M.K.Sen, Fundamental
 of Abstract Algebra McGraw Hill (International Edition),
 New york. 1997.

Vivek Sahai and Vikas Bist: Algebra, Narosa publishing
 House, 1999.

M. Artin, Algebra, Prentice -Hall of India, 1991.

M.Sc. (MATHEMATICS)
COURSE CODE:MSM102

I SEMESTER

COURSE TYPE: C

COURSE TITLE
REAL ANALYSIS - I

CREDIT:	
THEORY: 6 PRACTICAL : 0	HOURS: 90
MARKS:	THEORY: 90 PRACTICAL : 0
THEORY: 100(20+80)	MARKS:
	THEORY: 80 PRACTICAL : 0

Unit 1 - 23 hrs.

The Riemann-Stieljes Integral: Definition and existence of Riemann-Stieljes integral, Properties of the Integral. integration and differentiation, the fundamental theorem of Calculus. integration of vector-valued functions. Rectifiable curves.

Unit 2 - 14 hrs.

Sequences and series of functions: pointwise and uniform convergence, Cauchy's criterion for uniform convergence, Weierstrass M-test, Abel's and Dirichlet's tests uniform convergence. uniform convergence and continuous convergence and Riemann- Stieljes integration uniform convergence and differentiation, Weierstrass approximation theorem.

Unit 3 - 20 hrs.

Power series: Radius of convergence. series of arbitrary terms, convergence divergence & ascillation, unique theorem for power series, Abel's and Tauber's theorems. Rearrangements of terms of a series. Riemann's theorem.

Unit 4 - 18 hrs.

Functions of several variables: linear transformation Derivatives in an open subset of R_n , Chain rule, Partial derivatives. directional derivative, derivative as a linear transformation, contraction principle- interchange of the order of differentiation, Derivatives of higher orders, Taylor's theorem Inverse function theorem, Implicit function theorem.

problems extremum problems with constraints, Lagrange's multiplier method Differentiation of integrals. Partitions of unity. Differential forms.

SUGGESTED READINGS

- Principle of Mathematical Analysis By Walter Rudin (3rd Edition) McGraw-Hill Kogakusha, 1976, International student edition.
- Real Analysis By H.L.Roydon, Macmillan Pub.Co.Inc.4th Edition, New York.1962.
- T.M. Apostol, Mathematical Analysis, Narosa Publishing House, New Delhi, 1985.
- Gabriel Klambauer, Mathematical Analysis, Marcel Dekkar, Inc. New York, 1975.
- G.de Barra, Measure Theory and Integration, Wiley Eastern Limited, 1981.
- E. Hewitt and K. Stromberg. Real and Abstract Analysis, Berlin, Springer, 1969.
- P.K. Jain and V.P. Gupta, Lebesgue Measure and Integration, New Age International (P) Limited Published, New Delhi, 1986 Reprint 2000).
- Walter Rudin, Real & Complex Analysis, Tata McGraw-Hill Publishing Co. Ltd. New Delhi, 1966.

M.Sc. (MATHEMATICS)
 COURSE CODE: MSM103

I SEMESTER
 COURSE TYPE: C

COURSE TITLE	
COURSE TITLE : TOPOLOGY - I	

CREDIT:

THEORY: 6 PRACTICAL : 0

MARKS:

THEORY: 100(20+80)

HOURS:

THEORY: 90 PRACTICAL :

MARKS:

THEORY: 80 PRACTICAL

Unit - 1 25 hrs.

Countable and uncountable sets. Infinite sets and the Axiom of choice. Cardinal numbers and its arithmetic. Schroed Bernstein theorem. Cantor's theorem and the continuum hypothesis Zorn's lemma, well-ordering theorem.

Unit - 2 20 hrs.

Definition and examples of topological spaces. Closed sets Closure. Dense subsets. Neighborhoods. Interior, exterior and boundary. Accumulation points and derived sets' Bases and sub-bases, Sub spaces and relative topology.

Unit - 3 15 hrs.

Alternate methods of defining a topology in terms of terms of Kuratowski Closure Operator and Neighborhood Systems Continuous functions and homeomorphism. First and Second spaces. Lindelof's theorems. Separable spaces. Second countability and separability.

Unit - 4 15 hrs.

Separation axioms-; Their Characterizations and basic properties' Urysohn's lemma' Tietze extension theorem.

Unit - 5 15 hrs.

Compactness, Continuous functions and compact sets, Basic properties of Compactness. Compactness and finite intersection property. Sequentially and countably compact

Equivalence of compactness, countable compactness and sequential compactness in metric space. Local compactness and one point compactification, Stone-Cech compactification.

SUGGESTED READINGS.

James R. Munkres, Topology, A First Course, Prentice Hall of India Pvt. Ltd., New Delhi, 2000.

K.D.Joshi, Introduction to General Topology, Wiley Eastern Ltd., 1983'

J. Dugundji, Topology, Allyn and Bacon, 1966 (reprinted in India by Prentice Hall of India Pvt. Ltd.).

George F. Simmons, Introduction to Topology and modern Analysis, Mc Graw-Hill book Company, 1963.

J. Hocking and G. Young Topology, Addison-Wiley Reading, L96T.

I.L.Kelley, General Topology, vin Nostrand, Reinhold co., New York, 1955.

M.I.Mansfield, Introduction to Topology, D. Van Nostrand Co' Inc' Princeton N. J. 1963

B. Mendelson, Introduction to Topology, Allyn & Bacon' Inc" Boston, 1962.

C. Berge, Topological Spaces, Macmillan Company, New York, 1963'

O. S.S. Coirns, Introductory Topology, Ronald Press, New York, 1961.

M.Sc. (MATHEMATICS)
 COURSE CODE:MSMS01

I SEMESTER
 COURSE TYPE: O

COURSE TITLE	
RESEARCH METHODOLOGY & COMPUTER APPLICATION: BAS	

CREDIT:	HOURS: 0
THEORY: 6 PRACTICAL : 0	THEORY: 90 PRACTICAL :
MARKS:	MARKS:
THEORY: 100(20+80)	THEORY: 80 PRACTICAL

OBJECTIVE :

Understands the concept and place of research in concern subject.
 Gets acquainted with various resources for research.
 Becomes familiar with various tools of research
 Gets conversant with sampling techniques, methods of research and techniques of analysis of data
 Achieves skills in various research writings
 - Gets acquainted with computer Fundamentals and Office Software Package.

Unit -1 15 hours

CONCEPT OF RESEARCH : Meaning and characteristics of research , Steps in research process , Types of research - Basic, applied and action research (ii) Quantitative and qualitative research , Area of research in concern discipline
SELECTION OF PROBLEM FOR RESEARCH : Sources of the selection of the problem , Criteria or selection of the problem, Drafting a research proposal, Meaning and types variables, Meaning and types of hypotheses.

Unit -2 15 hours

TOOLS OF RESEARCH : Meaning and general information about construction procedure of Questionnaire, (ii) Interview (iii) Psychological test, (iv) observation (v) Rating scale (vi) Attitude srl and (vii) check list , Advantages and disadvantages of above tools
SAMPLING : Meaning of population and sample , important and characteristics of sample, Sampli' techniques - probability sampling: random sampling, stratified random

Sampling, systematic sampling, cluster sampling iii Non-probability -sampling: incidental sampling, purposive sampling, for sampling.

Unit-3 15 hours

METHOD OF RESEARCH: Meaning and conducting procedure of following methods of research Historical method , Survey method , Case study , Causal comparative method, Developmental methods, Experimental methods.

Unit-4 15 hours

TREATMENT OF DATA: level of measurements of data, Steps of treatment of data editing code classification, tabulation, analysis and interpretation of results
WRITING RESEARCH REPORT Sections of report: Preliminary section , Content section: various chapters, Supplementary section: appendices, references' abstract, format and style.

Unit-5 15hours

Computer Fundamentals
 Computer System: Features, Basic Application of Computer, Generation.
 Parts of computer System : Block Diagram of computer system; Central Processing unit (CPU); Concepts and types of hardware and Software, Input Devices - Mouse, Keyboard, Scanner, Bar Code Reader, track ball ; Output Devices - Monitor, Printer, Plotter' Speakers.
 Computer Memory - primary and secondary memory, magnetic and optical storage devices.
 Operating systems - MS windows : Basics of windows os ; components of windows -icons, taskbar, activating windows, using desktop, title bar, running applications, exploring computer, managing files and folders, copying and moving files and folders; Control panel:
 Display properties, adding and removing software and hardware, setting date and time, screensaver and appearance Windows Accessories : Calculator, Notepad' WordPad, Paint Brush, Command Prompt, Windows Explorer.

UNIT - 6 15 HRS.

Office Software Package

Word Processing - MS Word :Creating, Saving, Opening, Editing, Formatting' Page Setup and printing Documents ; Using tables, pictures, and charts in Documents ; Using Merge sending a document to a group of people and create form, letters and label'

Spreadsheet - MS Excel Opening a Blank or New Workbook entering data'/Function Formula into worksheet cell, Saving Editing, Formatting' Page Setup and printing Workbook presentation Software - MS power point :creating a enhancing a presentation, modifying a presentation, working with visual elements, adding Animations & Transitions a delivering presentation.

SUGGESTED READINGS

1. Agrawal, Y.P. (1988) . Better sampling : Concepts, Techniques a Evaluation. New Delhi : sterling Publishers Private Ltd. Best, J. (1993).
2. Research in Education (6th ed.) New Delhi : Prentice-Hall of India P Ltd.
3. Broota, K. D. (1992) Experimental design in Behavioral Research (2 ed.)
4. New Delhi : Wiley Eastern Limited.
5. Dasgupta, A. K. (1968). Methodology of Economic Research Bombay: Asia Publishing House. Edwaras.
6. A. L. (1957). Techniques of Attitude scale construction. New York Appleton-contury
7. Goll, M. D., Gall, J.P. and Borg, W.R. (2007). Educational Research An introduction (8th ed.) Coston : Allyn and Bacon.
8. Garrett, H. E. & Woodworth, R.S. (1969). statistics in Psychology an Education 'Bombay :vakils, Fecffer & Simons Pvt. Ltd.
9. Goode, w. J. & Hott, Pout K. (1952). Methods in social Research' New York : McGrow-Hill'
10. Gopol, M. H. (1964). An Introduction to research Procedure in social sciences' Bombay : Asia Publishing House.
11. Hillway, T. (1964) introduction to Research (2nd ed.) Noston Houghton Mifflin.
12. Hyman, H. H., etal. (1975). Interviewing in Social Research' Chicago : University of Chicago Press'
- 13.
- 14.

Kerlinger, F. N. (1983) Foundation of Behavioural Research. (2'd Indian Reprint)

New York: Hoft, Rinehart and Winston'

Kothari, C. R. (2007) Research Methodology: Methods & Techniques(3rd ed.)

New Delhi Wishwa Prakashan. Fundamentals Of Computers, Dr P' Mohon' Himalaya Publishing house

Microsoft First Look office 2010, K Murray, Microsoft -Press'

Fundamental Of Research Methodology; and Statistics, Y.K. Singh, NewAge

International (P) Limited, Publishers. Practical Research Methods' Dr catherine Dawson'

The Essence Of Research Methodology , Jan Jonker & Barjjan Pennlink, springer.

M.Sc. (MATHEMATICS)
COURSE CODE: MSM A01

I SEMESTER
COURSE TYPE: ECC/

COURSE TITLE	
ADVANCED DISCRETE MATHEMATICS-I	
CREDIT:	
THEORY: 6	PRACTICAL : 0
MARKS:	
THEORY: 100(20+80)	PRACTICAL : 0
MARKS:	
THEORY: 80	PRACTICAL : 0

Unit-1 18 hour

Formal Logic-Statements. Symbolic representation and Tautologies. Quantifiers, Predicates and Validity. Propositional Logic. Semigroup & Monoids-Definitions and Examples (Semigroups and monoids (including those pertaining to concatenation Operation)).

Unit -2 18 hour

Homomorphism of semigroups and monoids. Congruence relation and Quotient Semigroups. Subsemigroup and submonoids. Directed products. Basic Homomorphism Theorem.

Unit -3 18 hour

Lattices- Lattices as partially ordered sets. their properties. lattices and Algebraic Systems. Sublattices, Direct products e.g., Complete, Complemented and Distributive Lattices. Boolean Algebra- Boolean Algebra as Lattices. Various Boolean Identities. The Switching Algebra. Subalgebras.

Unit -4 18 hour

Directed Products and Homomorphism. Join-Irreducible elements Atoms and Minterms. Boolean Forms and their Equivalence Minterm Boolean Forms. Sum of Products Canonical Forms. Minimization of Boolean Functions. Application of Boolean Algebra to Switching Theory (using AND, OR & NOT gates). The Karnaugh Map Method.

Unit -5 18 hour

Grammars and Languages- Phrase-structure Grammars. Derivations. Sentential Forms. Language generating rules. Context-Free, and Context Free Grammars and Languages. Regular sets, Regular expression and the pumping lemma. Kleene's Theorem. Notions of Syntax Analysis, Polish Notations. Conversion of Infix Expression to Polish Notations. The Reverse Polish Notation.

SUGGESTED READINGS

1. Elements of Discrete Mathematics By C.L.Liu
2. J.P Tremblay & R.Manohar, Discrete Mathematical Structures with applications to Computer Science, McGraw-Hill Book Co. 1997
3. J.L. Gersting, Mathematical structures for computer science, computer science Press, New York
4. Seymour Lipschutz, Finite Mathematics edition, McGraw Hill Book company, New York
5. S. Witala, Discrete Mathematics - A Unified Approach, McGraw - Hill Book co.
6. J.E. Hopcroft and J.D. Ullman, Introduction to Automata Theory, Language & Computation, Narosa Publishing House.
7. C. L. Liu, Elements of Discrete Mathematics, McGraw - Hill Book Co.
8. N.Deo, Graph Theory with application to Engineering and computer science Prentice Hall of India.

M.Sc. (MATHEMATICS)
COURSE CODE:MSM A02

I SEMESTER
COURSE TYPE: ECO

COURSE TITLE
DIFFERENTIAL GEOMETRY

CREDIT:	
THEORY: 6 PRACTICAL : 0	
MARKS:	
THEORY: 100(20+80)	
Unit -1 18 hour	PRACTICAL
SPACE CURVES	
HOURS:	THEORY: 90 PRACTICAL :
MARKS:	THEORY: 80 PRACTICAL

Unit -1 18 hour
SPACE CURVES

Definition of a space curve- Arc length - tangent - normal and binormal - curvature and torsion - contact between curves and surfaces - tangent surface involutes and evolutes - Intrinsic equations - Fundamental Existence Theorem for space curves Helies Chapter I: Sections 1 to 9

Unit -2 18 hour

INTRINSIC PROPERTIES OF A SURFACE

Definition of a space curve on a surface of revolution - Helicoid - Metric - Direction coefficients - families of curves - Isometric correspondence - Intrinsic properties. Chapter II: Sections 1 to 9

Unit -3 18 hour
GEODESICS

Geodesics - Canonical geodesic equations - nominal property of geodesics - Existence Theorems - Geodesic parallels - Geodesic curvature - Gauss-Bonnet Theorem - Gaussian curvature - surface of constant curvature.

Chapter II : Section 10 to 18

Unit -4 18 hour

NON INTRINSIC PROPERTIES OF A SURFACE

The second fundamental form - Principal curvature - Lines of curvature- Developable associated with space curves and with curves on surface- Minimal surfaces - Ruled surfaces.

Chapter III : Section 1 to 8

Unit -5 18 hour

DIFFERENTIAL GEOMETRY OF SURFACES

Fundamental Equations of Surface Theory- Fundamental Existence theorem for surfaces - Compact surfaces whose points are umbilics - Meusnier's lemma - Compact surface of constant curvature - Complete surfaces.

Chapter III : Sections 9 and 10 Chapter IV : Only Section 1 to 5

Recommended Text

1. J. Willmore, An Introduction to Differential Geometry, Oxford University Press, (17th Impression) New Delhi 2002' (Indian reprint)

Reference Books

1. Struik, D.T. Lectures on classical Differential Geometry, Addison - wesley' Mass. 1950.
2. Kobayashi. S. and Nomizu. K. Foundations of Differential Geometry, Interscience Publishers, 1 963'
3. Wilhelm Klingenberg: A course in Differential Geometry, Graduate Texts in Mathematics, Springer-Verlag 191 8'
4. J.A. Thorpe Elementary topics in Differential Geometry, under - graduate Tex in Mathematics, Springer - Verlag 1979'

M.Sc. (MATHEMATICS)
COURSE CODE: MSM A03

I SEMEST
COURSE TYPE: ECC

COURSE TITLE
MATHEMATICAL PROGRAMMING

CREDIT:	
THEORY: 6	PRACTICAL : 0
MARKS:	
THEORY: 100(20+80)	THEORY: 90
	PRACTICAL : 80

UNIT 1 18 hours
INTEGER LINEAR PROGRAMMING

Types of Integer Linear Programming Problems - Concept of Cutting Plane - Gomory's All Integer Cutting Plane Method - Gomory's mixed Integer Cutting Plane method - Branch and Bound Method. - Zero-One Integer Programming. Dynamic Programming: Characteristics of Dynamic Programming Problem - Developing Optimal Decision Policy - Dynamic Programming Under Certainty - DP approach to solve LPP. Chapter-7: 1-7.7. chapter 20: 20.1 -20.

UNIT 2 18 hours
CLASSICAL OPTIMIZATION METHODS

Unconstrained Optimization - Constrained Multi-variable Optimization with Equality Constraints - Constrained Multi-variable Optimization with inequality Constraints. Non-linear Programming Methods: Examples of NLP - General NLP Graphical solution - Quadratic Programming - Wolfe's modified Simplex Methods - Beale's Method. chapter-23 : 23.1 - 23.4 Chapter-24: 24.1 -24.4

UNIT 3 18 hours
THEORY OF SIMPLEX METHOD

Canonical and Standard form of LP - Slack, and Surplus Variables - Reduction of any Feasible solution to a Basic Feasible solution - Alternative Optimal solution - Unbounded solution - Optimality conditions - Some complications and their resolutions - Degeneracy and its resolution. Chapter-25: 25.1 - 25.4, 25.6-25.9

UNIT 4 18 hours

REVISED SIMPLEX METHOD

Standard forms for Revised simplex Method - Computational procedure for Standard form I - comparison of simplex method Revised simplex Method. Bounded Variables LP problem: Revised simplex algorithm. Chapter-26: 26.1 - 26.4 Chapter-28: 28.1, 28.2

UNIT 5 18 hours

PARAMETRIC LINEAR PROGRAMMING

Optimization in the coefficients c_j , variations in the Right hand side, b_i .

Goal Programming: Difference between LP and GP approach Concept of Goal Programming - Goal Programming Model Formulation - Graphical Solution Method of Goal Programming - Modified Simplex method of Goal Programming.

Chapter -29: 29.1 - 29.3. Chapter -8: 8.1 - 8.4, 8.6 and 8.7.

Recommended Book.

J.K.Sharma, Operations Research, Theory and Applications- Third Edition (2007) Macmillan India Ltd.

Reference Books

Hamdy A. Taha, Operations Research, (seventh edition) Prentice - Hall of India Private Limited, New Delhi, 1997.

F.S. Hillier & J.Lieberman Introduction to Operation Research (7th Edition) Tata- McGraw Hill company, New Delhi, 2001.

Beightler, C, D. Phillips, B. Wilde, Foundations of Optimization (2nd Edition) Prentice Hall Pvt Ltd., New York, 1979.

S.S. Rao - Optimization Theory and Applications, Wiley Eastern Ltd. New Delhi, 1990.

M.Sc. (MATHEMATICS)
COURSE CODE: MSM A04

I SEMESTER
COURSE TYPE: ECC/A

COURSE TITLE
COMPLEX ANALYSIS I

CREDIT:	HOURS:
THEORY: 6 PRACTICAL : 0	THEORY: 90 PRACTICAL : 0
MARKS:	MARKS:
THEORY: 100(20+80)	THEORY: 80 PRACTICAL : 0

UNIT 1 18 HOURS
 Complex Integration, Contour Integral, Cauchy's Theorem, Cauchy's integral formula, Higher order derivatives, Morera's theorem, Cauchy's inequality and Liouville's Theorem.

UNIT 2 18 HOURS
 The Fundamental theorem of Algebra. Taylor's series. Maximum Modulus principle. Schwarz's lemma, Isolated singularity.

UNIT 3 18 HOURS
 Bilinear transformation -its properties and classification. conformal mapping, calculus of residues.

UNIT 4 18 HOURS
 Spaces of analytic function. Hurwitz's mapping theorem. Montel's theorem. Riemann mapping theorem.

UNIT 5 18 HOURS
 Weierstrass's Factorisation theorem. Gamma Function and its properties. Riemann Zeta Functional equation, Runge's theorem. Mittag Leffler's theorem

SUGGESTED READINGS

- Books Recommended :-**
1. L.V. Ahlfors, Complex Analysis, Mc Graw-Hill, 1979.
 2. D. Sarason, Complex Function theory, Hindustan book

Agency
 Walter Rudin, Real and complex analysis. McGraw-Hill Book company
 S. Punnusamy Foundation of complex Analysis, Narosa Publishing House 1997.
 J.B. Conway Function of one complex Variable. Springer Verlag.

M.Sc. (Mathematics) SECOND SEMESTER

II SEMESTER
 COURSE TYPE: CCC
 COURSE CODE: MSM201

COURSE TITLE	
ADVANCED ABSTRACT ALGEBRA - II	
CREDITS:	6 PRACTICAL : 0
HOURS:	THEORY: 90 PRACTICAL : 0
MARKS:	THEORY: 80 PRACTICAL : 0

Course Code	Course Type	Course (Paper/Subjects)	Credits	Contact Hours per Week			EoSE Duration (Hrs.)
				L	T	P	
MSM 201	CCC	Advanced Abstract Algebra (II)	6	4	3	0	3
MSM 202	CCC	Real Analysis (II)	6	4	3	0	3
MSM 203	CCC	Topology (II)	6	4	3	0	3
MSM S02	OSC	Social Outreach And Skill Development	6	0	0	9	0
MSM B01	ECC/CB	Advanced Discrete Mathematics (II)					
MSM B02	ECC/CB	Algebraic Number Theory	6	4	3	0	3
MSM B03	ECC/CB	Complex Analysis (II)					
MINIMUM CREDITS IN INDIVIDUAL SUBJECT IS 6 AND IN COMPLETE SEMESTER IT WOULD BE 30			TO TAL =30				

Unit 1- 18 Hrs.
 Noetherian and Artinian rings and Modules, Rings - Hilbert Basis theorem, Wedderburn Artin theorem, uniform Modules Primary Modules, Noether - Lasker theorem.

Unit 2- 18 Hrs.
 Field theory - Extension fields, Algebraic and transcendental extensions, Separable and inseparable extensions.

Unit 3- 18 Hrs.
 Normal extensions, Splitting field - perfect fields, Finite field, Primitive Elements, Algebraically closed fields, Automorphisms of extensions.

Unit 4- 18 Hrs.
 Galois Field and extensions, Fundamental theorem of Galois theory. Solution of polynomial equations by radicals.

Unit 5- 18 Hrs.
 Insolvability of the general equation of degree 5 by radicals, Rational Canonical form, Generalised Jordan form over any field.

SUGGESTED READINGS

1. P.B. Bhattacharya, S.K. Jain. S.R. Nagpaul: Basic Abstract Algebra, Cambridge University press.
2. I.N. Herstein: Topics in Algebra- Wiley Eastern Ltd.

M.Sc. (MATHEMATICS)
COURSE CODE: MSM202

COURSE TITLE	
REAL ANALYSIS - II	
CREDIT:	HOURS:
THEORY: 6 PRACTICAL : 0	THEORY: 90 PRACTICAL : 0
MARKS:	MARKS:
THEORY: 100(20+80)	THEORY: 80 PRACTICAL : 0

Unit-1 18 Hrs.
Measurable Sets: Measures and outer measures, Lebesgue outer measure, Regularity, Lebesgue measurable set and their properties of measurable set, Borel sets and their measurability, Non measurable sets.

Unit-2 18 Hrs.
Measurable Functions: Definition and properties, step and characteristics function, continuous function, sets of measure zero sequence of function, Egoroff's theorem, Riesz theorem, Lebesgue bounded and dominated convergence theorem, Beppo-Levi's theorem, Fatou's lemma, Lebesgue Theorem.

Unit-3 18 Hrs.
Lebesgue Integral: Lebesgue sum, integral of bounded and unbounded function, Integral of non negative functions. comparison of Riemann and Lebesgue integral, general Lebesgue integral.

Unit-4 18 Hrs.
Differentiation And Integration: Absolute continuous function, Dini derivatives, Differentiation of monotonic function, Lebesgue differentiation theorem, function of bounded variation, differentiation of an integral, integral of the derivatives.

3. Quazi Zameeruddin and Surjeet Singh : Modern Algebra
4. M. Artin : Algebra prentice - Hall of India , 1991
5. PM.Cohn : Algebra, Vol.I.II. III, John Wiley & Sons,
6. N. Jacobson: basic Algebra Vols. I, II, W.H. Freeman
7. S.lang , Algebra , 3'd edition. Addison -Wesley
8. D.S. Malik, J.N. Modeson and M.K.Sen : Fundamentals Abstract Algebra, Mc Graw - Hill .international Edition, 1990
9. K.B.Datta. : Matrix and linear Algebra, prentice Hall of India Pvt. Ltd., New Delhi, 2000
10. S.K.Jain, A.Gunawardena and P.B.Bhattacharya : Basic Linear Algebra with MATLAB, Key college publishing (Springer - verlag) 2001
11. S. Kumaresan : Linear Algebra. A. Geometric Approach, prentice - Hall of India.
12. Vivek Sahai and Vikas Bist: Algebra, Narosa publishing house, 1999.

CREDIT: 0	HOURS: 0
THEORY: 6 PRACTICAL : 0	THEORY: 90 PRACTICAL : 0
MARKS: THEORY: 100(20+80)	MARKS: THEORY: 80 PRACTICAL : 0

Unit-5 18 Hrs.

Lebesgue Lp- spaces: The classes L_p . Convex function Jensen's Inequality, Holder and Minkowski inequalities, Cauchy's Schwartz inequality, L_p Banach space, Riesz Fischer theorem

SUGGESTED READINGS

1. Principle of Mathematical Analysis by W. Rudin
2. Real Analysis by H.L. Rudin
3. T.M. Apostol, Mathematical analysis Narosa publishing House, New Delhi
4. A.J. White, Real Analysis - an introduction. Addison - Wesley publishing co. Inc. 1968.
5. G. De Barra, Measure Theory- and Integration, Wiley Eastern Limited, 1981
6. E. Hewitt and K. Stromberg. Real and Abstract Analysis, Berlin, Springer.
7. P.K. Jain and V.P. Gupta, Lebesgue Measure and Integration, New Age International (P) Limited New-Delhi
8. L.P. Natanson, Theory of Functions of a Real Variable, Vol. Fredrick Ungar publishing Co. 1961
9. H. Williamson, Lebesgue Integration, Holt Rinehart and Winston, Inc. New York.
10. K. R. Parthasarathy Introduction to Probability and Measure, Macmillan Company of India Ltd- Delhi
11. Inder K. Rana - An Introduction to Measure and Integration, Narosa publishing House. Delhi.

Unit -1 23 Hrs.

connected spaces, Connectedness on the real line, components, Locally connected spaces.

Unit -2 20 Hrs.

Product Spaces, Tychonoff Product topology in terms of standard sub base and its characterizations. Projection maps, Connectedness and product Spaces, compactness and Product Spaces (Tychonoff Theorem). Countability and product spaces.

Unit -3 17 Hrs.

Embedding and Metrization, Embedding Lemma and Tychonoff embedding. The Urysohn's metrization theorem, Metrization theorems and paracompactness. Local Finiteness, The Nagata - Smirnov metrization theorem, Paracompactness, The Smirnov metrization theorem

Unit -4 12 Hrs.

Nets & Filter: topology and Convergence of nets, Hausdorffness and nets, Filters and their convergence, Canonical way of converting nets to filters and vice versa. Ultra filters and compactness.

Unit -5 18 Hrs.

The fundamental group and covering spaces - Homotopy of paths, The fundamental groups' Covering spaces The

fundamental group of the circle and the fundamental theory of Algebra.

SUGGESTED READINGS

1. James R. Munkres. Topology, A First course, Prentice Hall of India Pvt.Ltd., Neu' Delhi-
2. K.D- Joshi, Introduction to General Topology, wiley Eastern Ltd.
3. J.Dugundji. Topology- Allyn and Bacon, (reprinted in India by prentice Hall of India Pvt.Ltd.)
4. George F-Simmons - Introduction to Topology. and Modern Analysis, Mcgaw- Hill Book Company)
5. J.Hocking and G-Young - Topology, Addison-wiley Reading
6. J.L.Kelley, General Topology, van Nostrand Reinhold Co, New york
7. L.steen and J.Seebach - Counter examples in Topology Holt Rinehan and Winston ,New York.
8. W.Thron, Topologically Structures Holt, Rineharts and Winston ,New Delhi 9. Topology, by J.N.Sharma & J-P.Cha ,han, Krishna PrakashanMedia (p) Ltd. Meerut.

II SEMESTER

M.Sc. (MATHEMATICS)

COURSE TYPE: ECC/CB

COURSE CODE:MSMB01

COURSE TITLE

ADV. DISCRETE MATHEMATICS (II)

CREDIT: 0	HOURS: 0
THEORY: 6	THEORY: 90
PRACTICAL: 0	PRACTICAL: 0
MARKS:	MARKS:
THEORY: 100(20+80)	THEORY: 80
	PRACTICAL: 0

UNIT 1 18 HOURS

Graph Theory - Definition of (Undirected) Graphs, Path, Circuits, & Subgraphs, Induced subgraphs, Degree of a vertex, connectivity, (planar Graphs and their properties, Trees, Euler's Formula for connected planar Graphs, Complete & Complete bipartite Graphs .Kurtowski's Theorem (statement only) and its use.

UNIT 2 18 HOURS

Spanning Trees, cut sets. Fundamental cut -sets ,and cycle , Minimal spanning Trees and Kruskals Algorithm Matrix Representations of Graphs, Euler's Theorem on the Existence of Eulerian Paths and Circuits.

UNIT 3 18 HOURS

Graphs .In Degree and out degree of a vertex, weighted undirected Graphs, Dijkstra's Algorithm, Strong Connectivity & Marshall's Algorithm, Directed Trees ,Search Trees, Tree Traversals

UNIT 4 18 HOURS

Introductory Computability Theory- Finite State Machines and their Transition, Table Diagrams ,Equivalence of Finite State Machines, Reduced Machines, Homomorphism

UNIT 5 18 HOURS

Finite Automata Acceptors- Non - deterministic , Finite Automata and equivalence of its power to that of Deterministic

Deterministic, Moore and Mealy Machines Turning Machine and Partial Recursive Functions

SUGGESTED READINGS

1. Elements of Discrete Mathematics By C.L.Liu
2. Graph Theory and its application By N.Deo
3. Theory of computer science By K.L.P.Mishra and N. chandrashekar
4. J.P Tremblay & R.Manochar, Discrete Mathematical Structures with applications to Computer Science, McGraw -Hill Book Co. 1997
5. J.L. Gersting, Mathematical structures for computer science, computer science Press, New York
- 6) Seymour Lepchutz, Finite Mathematics edition, McGraw Hill Book company ,New York
- 7) S. Wiitala, Discrete Mathematics - A Unified Approach ,McGraw - Hill Book co.
- 8) J.E. Hopcroft and J.D. ullman, Introduction to Automata

M.Sc. (MATHEMATICS)
COURSE CODE:MSMB02

II SEMESTER
COURSE TYPE: ECC/CB

COURSE TITLE ALGEBRAIC NUMBER THEORY

CREDIT:0	HOURS: 0
THEORY: 6 PRACTICAL : 0	THEORY: 90 PRACTICAL : 0
MARKS:	MARKS:
THEORY: 100(20+80)	THEORY: 80 PRACTICAL : 0

Unit 1- 18 Hrs.
ALGEBRAIC BACKGROUND
Rings and Fields -Factorization of Polynomials ,Field Extensions , Symmetric Polynomials, Modules, Free Abelian Groups

Unit 2- 18 Hrs.
ALGEBRAIC NUMBERS
Algebraic numbers , Conjugates and Discriminants, Algebraic Integers, Integral Bases, Norms and Traces .Rings of Integers.

Unit 3- 18 Hrs.
QUADRATIC AND CYCLOTOMIC FIELDS
Quadratic Fields and Cyclotomic Fields : Factorization into Irreducible .
Trivial Factorization : Factorization into irreducible, Examples of non- unique factorization into irreducible.

Unit 4- 18 Hrs.
Prime Factorization - Euclidean Domains ,Euclidean Quadratic fields ,consequences of unique factorization .The Ramanujan - Nagell theorem

Unit 5- 18 Hrs.
Prime Factorization of Ideals. The norms of an Ideal. Non unique Factorization in Cyclotomic Fields.

SUGGESTED READINGS

Stoward and D. Tall, Algebraic Number Theory- and Fermat's Last Theorem A.K.peters Ltd. Natrick,Mass 2002

M.Sc. (MATHEMATICS)
COURSE CODE:MSMB03

II SEMESTER
COURSE TYPE: ECC/CB

COURSE TITLE

COMPLEX ANALYSIS-II

CREDIT:

THEORY: 6 PRACTICAL : 0

HOURS:

THEORY: 90 PRACTICAL : 0

MARKS:

THEORY: 100(20+80)

MARKS:

THEORY: 80 PRACTICAL : 0

Unit 1- 18 Hrs.

Meromorphic function, The Argument Principal, Rouché's Theorem, Inverse Function Theorem, open mapping theorem, Residues, Cauchy's residue theorem, Evaluation of integrals, Branches of many valued function with special reference to $\arg z$, $\text{Log} z$ and z .

Unit 2- 18 Hrs.

Analytic Continuation, Uniqueness of analytic continuation along a curve, Power series method of analytic continuation - Schwarz Reflection principle.

Unit 3- 18 hrs.

Harmonic function on a disc, Harnack's inequality and theorem, Canonical product, Jensen's Formula, Poisson - Jensen formula Hadamard's three circle theorem.

Unit 4- 18 Hrs.

Order of an entire function, Exponent of Convergence, Borel's Theorem, Hadamard's Factorization Theorem.

Unit 5- 18 Hrs.

The range of an analytic function Bloch's Theorem, The Little Picard theorem, Montel Caratheodory and The Great Picard Theorem.

SUGGESTED READINGS

L.V.Ahlfors - Complex Analysis, Mc Graw Hill, 1979

2) D-Sarason, Complex Function Theory, Hindustan Book Agency, Delhi. Walter Rudin, Real and complex analysis, McGraw -Hill Book company 1996

4) E-C-Titchmarsh. The Theory of Functions, Oxford University press, London

5) S. Ponnusamy Foundations of complex Analysis, Narosa publishing House, 1997

6) J-B-conway, Function of One complex variable, Springer verlag

M.Sc. (Mathematics) THIRD SEMESTER

Course Code	Course Type	Course (Paper/ Subjects)	Credits	Contact Hours per Week			EoSE Duration (Hrs.)
				L	T	P	
MSM 301	CCC	Integration Theory and Functional Analysis (I)	6	4	3	0	3 0
MSM 302	CCC	Partial Differential Equations & Mechanics (I)	6	4	3	0	3 0
MSM 303	CCC	Operations Research (I)	6	4	3	0	3 0
MSM S03	OSC	Intellectual Property, Human Right Environment : Basics	6	4	3	0	3 0
MSM C01	ECC/CB	Numerical Analysis	6	4	3	0	3 0
MSM C02	ECC/CB	Mathematical Modeling					
MSM C03	ECC/CB	Fluid Dynamics					
MSM C04	ECC/CB	Fuzzy Sets and their Application-I					
MSM C05	ECC/CB	Computer Fundamental and Programming in C					
MINIMUM CREDITS IN INDIVIDUAL SUBJECT IS 6 AND IN COMPLETE SEMESTER IT WOULD BE 30			TO				
			TAL				=30

M.Sc. (MATHEMATICS)
 COURSE CODE: MSM301
 III SEMESTER
 COURSE TYPE: CCC

COURSE TITLE	
Integration Theory and functional Analysis (I)	
CREDIT:	HOURS:
THEORY: 6 PRACTICAL : 0	THEORY: 90 PRACTICAL : 0
MARKS:	MARKS:
THEORY: 100(20+80)	THEORY: 80 PRACTICAL : 0

Unit-1 18 Hrs.
 Measure Theory :
 signed measure. Hahn decomposition theorem, mutually singular Measures. Radon-Nikodym theorem. Labesgue decomposition. Riesz representation theorem. Extension theorem (Caratheodory).

Unit-2 18 Hrs.
 Lebesgue-Stieltjes integral, product measures, Differentiation and Integration. Decomposition into absolutely continuous and singular parts.

Unit-3 18 Hrs.
 Baire sets. Baire measure, continuous function' Regularity of measures on locally compact spaces. Integration of continuous functions with compact support, Riesz Markoff theorem.

Unit-4 18 Hrs.
 Functional Analysis
 Normed linear spaces. Banach spaces and examples. euotient space of normed linear spaces and its completeness, equivalent normi. Riesz Lemma, basic properties of finite dimensional normed linear spaces and compactness.

Unit-5 18 Hrs.
 weak convergence and bounded linear transformations,

normed linear spaces of bounded linear transformations, dual spaces with examples.

SUGGESTED READINGS

1. P.R. Halmos, Measure Theory, V
2. B.choudhary and S.Nanda, Functional Analysis with Applications wiley Eastern Ltd. 1989.
3. H.L. Royden, Real Analysis, Macmillan Publishing Co. Inc, Newyork, 4th Edition, 1993.
4. S.K. Berberian, Measure and integration, chelsea publishing company, New York, 1965.
5. G. de Barra, Measure Theory and Integration, wiley Eastern Limited, 1981.
6. P.K. Jain and V.P. Gupta, Lebesgue Meisure and Intlgration, NewAge International (P) Limited, New Delhi ,2000.
7. Richard L. wheeden and Antoni Zygmund, Measure and Integral : An Introduction to Real Analysis, Marcel Dekker inc. 1977.
8. I.H.williamson, Lebesgue Integration, Holt Rinehart and winston, Inc. New York. 1962.
9. T.G. Hawkins, Lebesgue's Theory of Integration: Its origins and Development, Chelsea, New York, 1979.
10. K.R. Parthasarathy, Introduction to probability and Measure, Macmillan Company of India Ltd., Delhi , 1977.
11. R.G. Bartle, The Elements of Integration, John wiley & sons, Inc. New york, 7966.
12. Serge Lang Analysis I & II, Addison -Wesley Publishing Company, Inc. 1967.
13. Inder K. Rana, An Introduction to Measure and Integration, Narosa Publishing House, Delhi, 1997.

M.Sc. (MATHEMATICS)
 COURSE CODE:MSM302

III SEMESTER
 COURSE TYPE: CCC

COURSE TITLE	
Partial Differentiation Equation and Mechanics (I)	
CREDIT:	HOURS:
THEORY: 6 PRACTICAL : 0	THEORY: 90 PRACTICAL : 0
MARKS:	MARKS:
THEORY: 100(20+80)	THEORY: 80 PRACTICAL : 0

UNIT -1 18 HOURS

Partial Differential Equations :
 Examples of PDE. Classification, Transport Equation-Initial value Problem. Non-homogeneous Equation, Laplace's Equation- Fundamental Solution, Mean Value Formulas, Properties of Harmonic Functions, Green's Function, Euler-Langrange equation.

UNIT -2 18 HOURS

Heat equation-Fundamental solution, Mean value Formula, Properties of Solutions, Energy Methods. wave Equation- solution by Spherical Means, Non-homogeneous Equations.

UNIT -3 18 HOURS

Nonlinear First order PDE-complete Integrals, Envelopes, characteristics, Hamiltonjacobi Equations [calculus of Variations, Hamilton's ODE, Legendre Transform, Hopf-Lax Formula, weak Solutions, Uniqueness], conservation Laws [Shocks, Entropy condition, LaxOleinik formula, weak solutions, uniqueness, Riemann's Problem, Long Time Behaviour]

UNIT -4 18 HOURS

Gravitation: Attraction and potential of rod, disc, spherical shells and sphere.

UNIT -5 18 HOURS

Surface integral of normal attraction (application & Gauss'

theorem). Laplace and Poisson equation. Work done by self attracting system. Distribution for a given potential.

SUGGESTED READING

1. L.C.Evans, partial Differential Equation, Graduate Studies in Mathematics, volume 19, AMS, 1998.
2. F. Gantmacher, Lectures in Analytic Mechanics, MIR Publishers, Moscow, 1975.
3. R.C. Mondal, Classical Mechanics, Prentice Hall of India.
4. S.L. Loney, An Elementary Treatise on Statics, Kalyani Publishers, New Delhi, 1979.
5. Books on Partial differential equation by J.N. Sneddon, F. John, P. Prasad and R. Ravindran, Amarnath etc.
6. A.S. Ramsey, Dynamics Part II, The English Language Book Society and Cambridge University Press, 1972.
7. H. Goldstein, Classical Mechanics (2nd edition), Narosa Publishing House, New Delhi.
8. I.M. Gelfand and S.V. Fomin, Calculus of Variation, Prentice Hall.
9. Narayan Chandra Rana & Pramod Sharad Chandra Joag, classical Mechanics, Tata McGraw Hill, 1991.
10. Louis N. Hand and Janet D. Finch, Analytical Mechanics, Cambridge University Press, 1998.
1. A.S. Ramsey, Newtonian Gravitation, the English Language Book Society and the Cambridge University Press.

COURSE TITLE
OPERATION RESEARCH I

CREDIT:	HOURS:
THEORY: 6 PRACTICAL : 0	THEORY: 90 PRACTICAL : 0

MARKS:	PRACTICAL : 0
THEORY: 100(20+80)	

UNIT -1 23 HOURS

Operations Research and its Scope. Problem formulation & Graphical solution of Linear Programming problem, some properties of convex sets, convex and concave functions. Solution of L.P.P. - simplex method, Two phase method,

UNIT -2 20 HOURS

Solution of L.P.P. - Simplex method, Two phase method, Big -M method,

UNIT -3 17 HOURS

Duality in Linear programming -Dual Simplex Method. Sensitivity Analysis.

UNIT 4 12 HOURS

Parametric Linear Programming. Upper Bound Technique. Interior Point Algorithm. Linear Goal programming.

UNIT -5 18 HOURS

Transportation and Assignment problems

SUGGESTED READINGS

1. F.S Hiller and G.J. Lieberman. Introduction to Operation Res Bareft [Sixth Edition], McGraw Hill International Edition, industrial Engineering Series, 1995.
2. G. Hadley, Linear Programming, Narosa publishing House, 1995

3. G. Hadly, Nonlinear and Dynamic programming Addison-wesley, Reading Mass.

4. H.A. Taha, Operations Research -An introduction, Macmillan publishing Co., Inc., New York.

5. Kanti Swarup, P.K. Gupta and Man Mohan, operations Research, sultan chand & Sons, New Delhi

6. S.S. Rao, optimization Theory and Applications, Wiley Eastern Ltd., New Delhi.

7. Prem Kumar Gupta and D.S. Hira, Operations Research-An Introduction. S. Ciland & Company Ltd., New Delhi.

M.Sc. (MATHEMATICS) III SEMESTER
COURSE CODE: MSM S02 COURSE TYPE: OSC

COURSE TITLE: INTELLECTUAL PROPERTY, HUMAN RIGHTS & ENVIRONMENT: BASIC

CREDIT: 0 HOURS: 0
THEORY: 6 PRACTICAL : 0 THEORY: 90 PRACTICAL : 0

MARKS:
THEORY: 100(20+80) PRACTICAL : 0

UNIT -1 12 HOURS

Patents :- Introduction & concepts, Historical Overview.
Subject matter of patent.
Kinds of Patents.
Development of Law of Patents through international treaties and conventions including TRIPS Agreement.
Procedure for grant of patents & term of patent.
Surrender, revocation and restoration of patent.
Rights and obligations of patentee
Grant of compulsory licenses
Infringement of Patent and legal remedies
Offences and penalties
Discussion on leading cases.

UNIT -2 24 HOURS

Meaning of Copyright, Historical Evolution.
Subject matter of copyright.
Literary works
Dramatic Works & Musical Works
Computer Programme
Cinematographic films
Registration of Copyrights
Term of Copyright and Ownership of Copyrights
Neighboring Rights
Rights of Performers & Broadcasters
Assignment of Copyright.
Author's Special Rights (Moral Rights) and defenses
Infringement of Copyrights and defenses

SUGGESTED READINGS

1. G.B. Reddy, Intellectual Property
2. R. Myrland, Law of Copyrights
3. P. Narayanaiah, Intellectual Property
4. Vikas, Ashtikar, Law of Copyrights
5. G.B. Reddy, Intellectual Property

Remedies against infringement (Jurisdiction of courts and penalties)

International Conventions including TRIPS Agreement WIPO, UCC, Paris Union, Berne Convention-UNESCO.
Discussion on leading cases

UNIT -3 12 HOURS

Rights: meaning

Human Rights-Meaning & essentials

Human Rights Kinds.

Rights related to life- Liberty, Equals & Disable.

UNIT -4 24 HOURS

National Human Rights Commission

State Human Rights Commission

High Court

Regional Court

Procedure & Functions of High & Regional Court.

UNIT -5 18 HOURS

Right to environment as human right

International humanitarian law and environment

environment and conflict management

nature and origin of international environmental organisation (IEOS)

Introduction to sustainable development and environment

sustainable development and environmental governance

SUGGESTED READINGS

1. G.B.Reddy, Intellectual Property Rights and Law, Gogia Law Agency, Hyderabad.
2. S.R.Myneni, Intellectual property Law, Eastern Law House, Calcutta
3. P Narayanan Intellectual Property Rights and Law (1999), Eastern Law House, Calcutta, India
4. Vikas Vashistha, Law and Practice of Intellectual Property,(1999) Bharat Law House, New Delhi.

5. Comish W.R Intellectual property, 3rd ed, (1996), Sweet and Maxwell.

6. P.S. Sangal and Kishor Singh, Indian Patent System and Paris Convention,

7. Comish W.R Intellectual Property, Patents, Copyrights and Allied Rights, (2005)

8. BibeckDebroj, Intellectual Property Rights, (1998), Rajiv Gandhi Foundation

M.Sc. (MATHEMATICS)
COURSE CODE: MSM C01

III SEMESTER
COURSE TYPE: ECC/CB

COURSE TITLE: NUMERICAL ANALYSIS-I

CREDIT:
THEORY: 6 PRACTICAL : 0 HOURS:
THEORY: 90 PRACTICAL : 0

MARKS:
THEORY: 100(20+80) PRACTICAL : 0

UNIT -1 18 HOURS

The calculus of Finite Differences: Differences, Fundamental theorem of difference calculus, To express any value of the function in term of and the leading differences of a difference table, The operator E, properties of two operators E and A, Factorial notation, Differences of zero, Recurrence relation.

UNIT -2 18 HOURS

Interpolation with equal intervals: Different interpolation method, method of curve fitting, Use of calculus of finite differences, sub-division of intervals.

UNIT -3 18 HOURS

Interpolation with unequal intervals: Divided differences Newton's formula for unequal intervals, Relation between divided differences and ordinary differences, Sheppard's rule, Lagrange's interpolation formula for unequal intervals, Hermite's interpolation formula.

UNIT -4 18 HOURS

Central difference Interpolation Formulae: Gauss's interpolation formula Sterling formula, Bessel's formula, Lalace-Everett formula, Uses of various, interpolation formula.

UNIT 5 18 HOURS

Numerical Differentiation And Integration: The trapezoidal rule, Simpson's one third rule, Simpson's three-eight's rule, weddle's rule, cote's method, The Euler's Maclaurin's formula, integration formula.

SUGGESTED READINGS

1. C. E. Froberg. Introduction to numerical analysis, (Second Edition), Addison Wesley-1979.
2. James B. Scarborough- Numerical Mathematical analysis, Oxford and IBH Publishing co., Inc. New York 1982.
3. M. K. Jain- S.R.K- Iyengar- R.K. Jain- Numerical Methods for Scientific and Engineering Computation- New Age International (P) Ltd.. 1999.

III SEMESTER
M.Sc. (MATHEMATICS)
COURSE CODE: MSM C02
COURSE TYPE: ECC/CB

COURSE TITLE: MATHEMATICAL MODELLING

CREDIT:
THEORY: 6 PRACTICAL : 0 **HOURS:**
THEORY: 90 PRACTICAL : 0

MARKS:
THEORY: 100(20+80) **PRACTICAL : 0**

UNIT -1 18 HOURS
 Mathematical Modelling through Systems of Ordinary differential Equation of the First Order Mathematical modeling in population dynamics, Mathematical modeling of epidemics through systems of ordinary differential equations of first order - Mathematical Models in Medicine, Arms Race, Battles and International Trade in terms of systems of ordinary differential equations - Mathematical modeling in dynamics through systems of ordinary differential equations of first order.

UNIT -2 18 HOURS
 Mathematical Modelling through difference equations The needs for Mathematical modelling through difference equations- some simple models - Basic theory of linear difference equations with constant coefficients - Mathematical modelling through difference equations in economics and finance

UNIT -3 18 HOURS
 Mathematical Modelling through difference equation (contd.) Mathematical Modelling through difference equation in population dynamics and genetics. Mathematical Modelling through difference equation in probability theory. miscellaneous examples of Mathematical modelling through difference equations

UNIT -4 18 HOURS

Mathematical modelling through Graphs
 Situations that can be modeled through graphs- Mathematical models in terms of directed graphs- Mathematical models in terms of signed graphs- Mathematical models in terms of weighted graphs

UNIT -5 18 HOURS

Mathematical Modelling through calculus of variation and Dynamic Programming Optimization principles and techniques - Mathematical modelling through calculus of variations - Mathematical Modelling through dynamic programming

SUGGESTED READING

1. D.J.G.James and J.J.Macdonald, Case studies in Mathematical Modelling, Stanly Thames, Cheltonham.
2. J.N. Kapur, Mathematical entropy Models.
- 3 J.M Crossand A.O. Moscardini, The art of Mathematical Modelling Ellis Harwood and John Wiley.
4. C. Dyson, Elvery, Principles of Mathematical Modelling Academic Press, New York.
5. D. N. Burghes, Modelling with Difference Equations, Ellis Harwood and John Wiley.

M.Sc. (MATHEMATICS)
 COURSE CODE: MSM C03

III SEMESTER
 COURSE TYPE: ECC/CB

COURSE TITLE: FLUID DYNAMICS

CREDIT: THEOREY: 6 PRACTICAL : 0 HOURS: THEOREY: 90 PRACTICAL : 0

MARKS: THEORY: 100(20+80) PRACTICAL : 0

UNIT -1 18 HOURS

Kinematics of fluid in motion. real fluid and Ideal fluids- Velocity of a fluid at a point, Stream line, path lines, steady and unsteady flows- Velocity potential- The vorticity vector- Local and particle rates of charges- Equations of continuity - worked examples- Acceleration of a fluid- Conditions at a rigid boundary.

UNIT -2 18 HOURS

EQUATIONS OF MOTION OF A FLUID
 Pressure at a point in a fluid at rest.- pressure at a point in a moving fluid - conditions at a boundary of two inviscid immiscible fluids- Euler's equation of motion- Discussion of the case of steady motion under conservation body forces.

UNIT -3 18 HOURS

Some three dimensional flows, Introduction- Sources, sinks and doublets- Images in a rigid infinite plane- Axis symmetric flows - stokes stream function.

UNIT -4 18 HOURS

SOME TWO DIMENSIONAL FLOWS
 Meaning of two dimensional flow- Use of Cylindrical polar coordinate- the steam function- The complex potential for two dimensional, irrotational incompressible flow- Complex velocity potential for standard two dimensional flows- some worked examples- Two dimensional Image system- The Milne Thompson circle Theorem

UNIT -5 18 HOURS

VISCOUS FLOW

Stress components in a real fluid -Relations between Cartesian components of stress-Translation motion of fluid elements- The rate of strain quadric and principal stresses - some further properties of the rate of strain- The coefficient of viscosity and laminar flow - The Navier-Stokes equations of motion of a Viscous fluid.

SUGGESTED READINGS

Books Recommended:

1. R.W.Fox and A.T.McDonald. Introduction to Fluid Mechanics, Wiley, 1985.

References

1. E.Krause, Fluid Mechanics with Problem and Solutions, Springer, 2005.
 2. B.S.Massey, J.W.Smith and A.J.W.Smith, Mechanics of Fluid, Taylor and Francis, New York, 2005.
 3. P.Orlandi, Fluid.Flow Phenomena, Kluwer, New York, 2002.
 4. T.Petrila, Basis of Fluid Mechanics and Introduction to Computation Fluid Dynamics, Springer, berlin, 2004.

M.Sc. (MATHEMATICS)
III SEMESTER
COURSE CODE: MSM C04
COURSE TYPE: ECC/CB

COURSE TITLE: FUZZY SETS AND THEIR APPLICATIONS-I

CREDIT:
THEORY: 6 PRACTICAL : 0
HOURS:
THEORY: 90 PRACTICAL : 0

MARKS:
THEORY: 100(20+80)
PRACTICAL : 0

UNIT -1 18 HOUR
FUZZY SETS- Basic definition α -level sets. Convex fuzzy sets. Basic operations on fuzzy sets. types of fuzzy sets. cartesian products, Algebraic products. Bounded. sum and difference, t-norms and t-conorms.

UNIT -2 18 HOURS
The Extension Principle- The Zadeh's extension principle image of fuzzy sets. Fuzzy numbers. Elements of fuzzy arithmetic. Arithmetic operations on fuzzy numbers. Lattices of fuzzy numbers, fuzzy equation.

UNIT -3 18 HOURS
Fuzzy Relations: Fuzzy relations on fuzzy sets, fuzzy binary relations and fuzzy equivalence relations. Fuzzy morphism, standard composition, sup i composition, inf-wi composition of fuzzy relation.

UNIT -4 18 HOURS
Fuzzy Relation Equation: Problem partitioning, solution methods, fuzzy relation equations based upon sup i composition and inf-wi composition, approximate solution. Fuzzy graphs, Similarity relation.

UNIT -5 18 HOURS

Theory-Fuzzy measures. Evidence theory. Necessity measure. Possibility measure. Possibility distribution. Possibility theory and fuzzy sets. Possibility theory versus probability theory

SUGGESTED READING

Books Recommended:

1. G.J.Klir And B. Yuan: Fuzzy sets and Fuzzy logic, Prentice Hall of India New Delhi.
2. H.J.Zimmermann: Fuzzy sets and Fuzzy logic, Prentice Hall of India New Delhi.

M.Sc. (MATHEMATICS)
COURSE CODE: MSM C05

UNIT -5 18 HOURS

III SEMESTER

COURSE TYPE: ECC/CB

COURSE TITLE: COMPUTER FUNDAMENTAL & PROGRAMMING IN C

CREDIT:
THEORY: 6 PRACTICAL : 0 HOURS: THEORY: 90 PRACTICAL : 0

MARKS:
THEORY: 100(20+80) PRACTICAL : 0

UNIT -1 18 HOURS

An overview of programming: Programming language, classification. C Essentials Program Development. Functions. Anatomy of C Function. Variables and Constants. Expressions. Assignment Statements. Formatting Source Files. Continuation Character. The Preprocessor

UNIT -2 18 HOURS

Scalar Data Types-Declarations, Different Types of integers. Different kinds of Integer constants. Floating-point Types. Initialization. Mixing Types. Explicit conversions-casts. Enumeration Types. The void Data Type' Typedefs. Finding the Address of an object. pointer.

UNIT -3 18 HOURS

Control Flow Statement-Conditional Branching. the Switch Statement. Looping. Nested Loops. The break and continue statements. The goto statement. Infinite Loops.

UNIT -4 18 HOURS

Operators and Expressions-Unary Plus and Minus operator. Binary Arithmetic Operator. Arithmetic Assignment operators. Increment and Decrement operators. comma operator. Renational operators. Logical operators. Bit - Manipulation operators. Bitwise Assignment operators.
 Size of operators' conditional operator. Memory operators.

Arrays -Declaring an Array. Array and Memory. Initializing Array. Array of Pointers declaration, Arrays of string.

SUGGESTED READING

1. Peter A. Darnell and philip E. Margolis, C:A Software Engineering Approach Narosa Publishing House (springer International Student Edition) 1993.
2. Samuel P. Harkison and Gly L. Steele Jr., C : A Reference Manual , 2nd Edition, Prentice Hall, 1984.
3. Brian W Kernighan & Dennis M. Ritchie, The c programme Language, 2nd Edition (ANSI Features), Prentice Hall 1989.

M.Sc (Mathematics) FOURTH SEMESTER

M.Sc. (MATHEMATICS) IV SEMESTER
 COURSE CODE: MSM 401 COURSE TYPE: CCC

COURSE TITLE: INTEGRATION THEORY AND FUNCTIONAL ANALYSIS II	
CREDIT: THEORY: 6 PRACTICAL : 0	HOURS: THEORY: 90 PRACTICAL : 0
MARKS: THEORY: 100(20+80)	PRACTICAL : 0

UNIT -1 18 HOURS
 Uniform boundedness theorem and some of its consequences. open mapping and closed graph theorems.

UNIT -2 18 HOURS
 Hahn-Banach theorem for real linear spaces, complex linear spaces and normed linear spaces. Reflexive spaces. weak sequential compactness. Compact operators. Solvability of linear equations in Banach spaces. The closed Range Theorem.

UNIT -3 18 HOURS
 Inner product spaces. Hilbert spaces. Orthonormal sets. Bessel's inequality. Complete orthonormal sets and parseval's identity.

UNIT -4 18 HOURS
 Structure of Hilebert spaces. Projection theorem. Riesz representation theorem. adjoint of an operator on a Hielbert spaces. Reflexivity of Hielbert spaces.

UNIT -5 18 HOURS
 Self-adjoint operators, Positive, projection, normal and unitary operators. Abstract variational boundary-value problem. the generalized lax-Milgram theorem.

Course Code	Course Type	Course (Paper/ Subjects)	Credits					EoSE Duration (Hrs.)
			L	T	P	Thy	P	
MSM401	OCC	Integration Theory and Functional Analysis (II)	6	4	3	0	3	0
MSM402	OCC	Partial Differential Equations & Mechanics (II)	6	4	3	0	3	0
MSM403	OCC	Operations Research (II)	6	4	3	0	3	0
MSM421	OSC	Dissertation	6	0	0	9	0	4
MSMD01	ECC/OB	Numerical Analysis (II)						
MSMD02	ECC/OB	Mathematical Modeling						
MSMD03	ECC/OB	Number Theory and Cryptography	6	4	3	0	3	0
MSMD04	ECC/OB	Fuzzy Sets and their Application-ii						
MSMD05	ECC/OB	Computer Fundamental and Programming in C++						
MINIMUM CREDITS IN INDIVIDUAL SUBJECT IS 6 AND IN COMPLETE SEMESTER IT WOULD BE 30			TO					
			TOTAL					=30

SUGGESTED READINGS

1. B.Choudhary and S.Nanda, Functional Analysis with Applications. Wiley Eastern Ltd. 1989.
2. H.L. Royden, Real Analysis, Macmillan Publishing Co. Inc., New York, 4th Edition, 1993.
3. Serge Lang, Analysis I & II, Addison-wesley Publishing company, Inc.1967.
- 4- Walter Rudin, Real & complex Analysis, Tata McGraw-Hill Publishing.
5. Edwin Hewitt and Karl Stromberg, Real and Abstract Analysis, Springer-Verlag, New York
- 6- Edwin Hewitt and Kenneth A. Ross, Abstract Harmonic Analysis, vol. 1, Springer-Verlag 1993.
7. B.-V- Limaye, Functional Analysis, Wiley Eastern ltd.
8. L.A. Lustenik and V.J. Sobolev, Elements of Functional Analysis, Hindustan publishing Corporation, New Delhi 1971
9. G.F. Simmons, Introduction to Topology and Modern Analysis, McGraw-Hill Book Company, NewYork 1963.
10. AE Taylor Introduction to Functional Analysis John Wiley and Sons, New York, 1958.
11. K.Yosidia, Functional Analysis, 3" edition Springer-verlag, New York 1971
12. J.B.Conway, A Course in Functional Analysis, Springer-verlag, New York, 1990.
13. Walter Rudin, Functional Analysis, Tata McGraw-Hill Publishing Company Ltd, New Delhi 1973.

M.Sc. (MATHEMATICS) IV SEMESTER
COURSE CODE:MSM 402 COURSE TYPE: CCC

COURSE TITLE:
PARTIAL DIFFERENTIAL EQUATION AND MECHANICS (II)

CREDIT:
THEORY: 6 PRACTICAL : 0 HOURS:
THEORY: 90 PRACTICAL : 0

MARKS:
THEORY: 100(20+80) PRACTICAL : 0

UNIT -1 25 HOURS

Representation of Solutions- Separation of Variable, Similarity Solution (plane and travelling waves, solitons, similiary under scaling), Fourier and Laplace Transform, Hopf-cole Transform, hodograph and Legendre Transforms, Potential Functions.

UNIT -2 20 HOURS

Analytical Dynamics: Generalized coordinates. Holonomic and Non-holonomic systems. scleronomic and Rheonomic systems. Generalized potential. Lagrange's equations of first kind. Lagrange's equations of second kind. Uniqueness of solution. Energy equation for conservative fields. Hamilton's variables. Donkin's theorem. Hamilton canonical equations. Cyclic coordinates.
Routh's equations

UNIT -3 15 HOURS

Analytical Dynamics: Hamilton's Principle of least action Motivating problems of calculus of variations, Shortest distance. Minimum surface of revolution. Brachistochrone problem. Isoperimetric problem. Geodesic. Fundamental lemma of calculus of variations. Euler's equation for one dependent function and its generalization to (1) 'n' dependent functions, (ii) higher order derivatives. Conditional extremum under geometric constraints and under integral constraints.

UNIT -4 15 HOURS

Analytical Dynamics: Poisson's Bracket. Poisson' identity.

Jacobi-poisson Theorem. Lagrange Brackets. Condition of canonical character of a transformation in terms of Lagrange brackets and Poisson brackets, invariance of Lagrange brackets and Poisson brackets under canonical transformations.

UNIT -5 15 HOURS

Classical Mechanics: Generalized coordinates, Langrange's equations, Hamilton's canonical equations, Hamilton's principle and principle of least action, Two-dimensional motion of rigid bodies, Euler's dynamical equation for the motion of a rigid body about an axis, theory of small oscillations.

SUGGESTED READING

1. L.C. Evans, Partial Differential Equations, Graduate Studies in Mathematics, Volume 19,AMS,1998.
2. F. Gantmacher, Lectures in Analytic Mechanics, MIR publishers, Moscow , 1975.
3. RC.Mondal, Classical Mechanics, prentice Hall of India
4. Books on Partial differential equation by 1.N. Sneddon, F. John, P. Prasad and R. Ravindran, Amarnath etc
5. A.S. Ramsey, Dynamics Part II, The English Language Book Society and Cambridge University Press 1972.
- 6- H. Goldstein, Classical Mechanics (2nd edition), Narosa Publishing House, New Delhi.
7. I.M. Gelfand and S.V. Fomin, Calculus of Variations, Prentice Hall.
- B. Narayan Chandra Rana & Pramod Sharad Chandra Joag Classical Mechanics, Tata McGraw Hill, 1991.
9. Louis N. Hand and Janet D. Finch, Analytical Mechanics, Cambridge University Press, 1998

M.Sc. (MATHEMATICS) IV SEMESTER
COURSE CODE:MSM 403 COURSE TYPE: QCC

COURSE TITLE:
OPERATION RESEARCH (II)

CREDIT: HOURS:
THEORY: 6 PRACTICAL : 0 THEORY: 90 PRACTICAL : 0

MARKS:
THEORY: 100(20+80) PRACTICAL : 0

UNIT -1 18 HOURS

Network Analysis-Shortest path problem. Minimum Spanning Tree Problem. Maximum Flow I Problem. Minimum cost Flow Problem, Network Simplex Method. Project Planning and Control I with PERT-Cpm.

UNIT -2 12 HOURS

Dynamic Programming-Deterministic and Probalistic Dynamic Programming

UNIT -3 17 HOURS

Game Theory-Two-person, Zero-sum Games. Games with Mixed Strategies. Graphical Solution. Solution by linear Programming.

UNIT -4 23 HOURS

Integer Programming-Branch and Bound Technique, Gomory,s method of solving I.P.P.

UNIT -5 20 HOURS

Nonlinear Programming-one/and Multi-variable Unconstrained Optimization-Lagrangian method, Kuhn-Tucker Conditions for Constrained Optimization, wolf's method, Beal's method Quadratic Programming. Seperable Programming. Convex Programming. Non convex Programming.

SUGGESTED READINGS

1.F.S. Hillier and G.J. Liebrman. Introduction to Operations

ResBareft (sixth Edition), McGraw Hill International Edition, Industrial Engineering series, 1995.

(this book comes with a CD containing tutorial software).

2. G.Hadley, linear programming, Narosa Publishing House, 1995.
- 55.G. Hadly, nonlinear and programming, Addison-Wesley, Reading Mass.
3. H.A. Taha, Operations Research An introduction, Macmillan Publishing Co., Inc., New York.
4. Kanti Swarup, P.K.Gupta and Man Mohan, Operation Research, Sultan Chand & Sons, New Delhi
5. Mokhtar S. Bazaraa, John J. Jarvis and Hanif D. Sherali, Linear Programming and Network flows, John Wiley & sons, New York, 1990.
6. S.S.Rao, Optimization Theory and Applications, Wiley Eastern Ltd., New Delhi.
7. Prem Kumér Gupta and D.S.Hira, Operations Research-An Introduction. S.Cliand & Company Ltd., New Delhi.

M.Sc. (MATHEMATICS) IV SEMESTER
COURSE CODE:MSM D02 COURSE TYPE: ECC/CB

COURSE TITLE:
NUMERICAL ANALYSIS-II

CREDIT: HOURS:
THEORY: 6 PRACTICAL : 0 THEORY: 90 PRACTICAL : 0
MARKS:
THEORY: 100(20+80) PRACTICAL : 0

UNIT -1 18 HOURS

Difference Equations-I: homogeneous linear difference equations, Homogeneous linear difference equation with constant coefficients, existence and uniqueness theorem, Different methods for finding for particular solution in case of non-homogeneous linear equation.

UNIT -2 18 HOURS

Difference Equation-II: methods of variation of parameters, method of generating function, non-homogeneous linear difference equations with variable coefficients, Solution of some special types of difference equations, solution of homogeneous difference equations (degree two), simultaneous difference i equations, Differential-difference equations.

UNIT -3 18 HOURS

Numerical Solution of Ordinary Differential Equation of First Order: Picard's method of successive approximations, Euler's method, Improved Euler's method, Modified Euler's method, Taylor's series method, Milne's method, Runge's method, Runge's kutta method

UNIT -4 18 HOURS

Solution of Algebraic and Transcendental Equation: Bisection method, method for finding initial approximate value of root Newton's iterative formula for obtaining square root, Rate of convergence of Newton's method.

Simultaneous Linear Algebraic Equations: The elimination method by Gauss Jordan's method, Crout's method, Method of factorization, Jacobi iterative method, Gauss Seidel iterative method, Relaxation method due to Southwell.

SUGGESTED READINGS

1. C. E. Froberg, Introduction to Numerical analysis- (Second Edition). Addison-Wesley, 1979.
2. James B. Scarborough, Numerical Mathematical analysis- Oxford and IBH Publishing co., Inc. New York, 1992.
3. M. K. Jain, S.R.K.Iyengar, R.K. Jain. Numerical Methods for scientific and Engineering Computation, New Age International (p) Ltd- 1999.

M.Sc. (MATHEMATICS)
COURSE CODE: MSM D03

IV SEMESTER
COURSE TYPE: ECC/CB

COURSE TITLE:
NUMBER THEORY AND CRYPTOGRAPHY

CREDIT:
THEORY: 6 PRACTICAL : 0 **HOURS:**
THEORY: 90 PRACTICAL : 0

MARKS:
THEORY: 100(20+80) **PRACTICAL : 0**

UNIT -1 18 HOURS

Elementary Number Theory

Time Estimates for doing arithmetic - Divisibility and Euclidean algorithm - Congruences - Applications to factoring. Chapter-I

UNIT -2 18 HOURS

Cryptography

some simple crypto systems - Enciphering matrices. chapter-III

UNIT -3 18 HOURS

Finite Fields and quadratic Residues. Finite fields - Quadratic residues and Reciprocity. Chapter- II

UNIT -4 18 HOURS

Public Key Cryptography

The idea of public key cryptography- RSA - Discrete log - Knapsa. Chapter-IV: Sections IV.1 to IV.4 [omit sec.5]

UNIT -5 18 HOURS

Primality and Factoring

Pseudoprimes - The rho method - Fermat factorization and factor based- The continued fraction method - The quadratic sieve method-Chapter-V

SUGGESTER READINGS

Recommended Text

Neal Koblitz, A course in Number Theory and cryptography, Springer-Verlag New York, 2002, Second Edition.

Reference Books

1. Niven and Zuckermann, An Introduction to Theory of [Edn. 3], Wiley Eastern Ltd., New Delhi, 1976.
2. David M. Burton, Elementary Number Theory, Wm C. Brown Publisher Dubuque, Iowa, 1989.
3. K. Ireland and M. Rosen, A classical Introduction to Modern Number Theory, Springer Verlag 1972.

M.Sc. (MATHEMATICS) Ist SEMESTER
COURSE CODE: MSM D01 COURSE TYPE: ECC/CB

COURSE TITLE:

FUZZY SETS AND ITS APPLICATION-II

CREDIT: HOURS:

THEORY: 6 PRACTICAL : 0 THEORY: 90 PRACTICAL : 0

MARKS:

THEORY: 100(20+80) PRACTICAL : 0

UNIT -1 18 HOURS

Fuzzy Logic-An overview of classical Logic, Multivalued logics, Fuzzy propositions. Fuzzy quantifiers. Linguistic variables and hedges. Inference from conditional fuzzy propositions, the compositional rule of inference.

UNIT -2 18 HOURS

Approximate Reasoning-An overview of Fuzzy expert system. Fuzzy implications and their selection. Multiconditional approximate reasoning. The role of fuzzy relation equation.

UNIT -3 18 HOURS

An introduction to Fuzzy Control: Fuzzy controllers. Fuzzy rule base. Fuzzy inference engine. Fuzzification.

UNIT -4 18 HOURS

Defuzzification and the various defuzzification methods (the centre of area, the centre of maxima, and the mean of maxima methods)

UNIT -5 18 HOURS

Decision Making in Fuzzy Environment- Individual decision making. Multiperson decision making. Multicriteria decision making. Multistage decision making. Fuzzy ranking methods. Fuzzy linear programming.

SUGGESTED READINGS

1. H.J. Zmmemann, Fuzzy set theory and its Applications, Allied Publishers Ltd. New Delhi, 1991.
2. G.J. Klir and B. Yuan- Fuzzy sets and fuzzy logic, Prentice-Hall of India, New Delhi, 1995.

M.Sc. (MATHEMATICS)

IV SEMESTER

COURSE CODE:MSM C04

COURSE TYPE: ECC/CB

COURSE TITLE: FUNDAMENTALS
OF COMPUTER SCIENCE & PROGRAMMING IN C-II

CREDIT:0

HOURS: 0

THEORY: 6 PRACTICAL : 0

THEORY: 90 PRACTICAL : 0

MARKS:

THEORY: 100(20+80)

PRACTICAL : 0

UNIT -1 18 HOURS

Oriented Programming-Classes and Scope, nested classes, pointer class members; Class initialization, Overload functions, Operator overloading, constructor, Destructor

UNIT -2 18 HOURS

Data Structures-Analysis of algorithms, Link list, Doubly linked list; sequential and linked representations, Lists, stacks, and queues.

UNIT -3 18 HOURS

TREE: Binary Tree- search tree implementation, B-tree (concept only)

UNIT -4 18 HOURS

Shorting: Insertion sort, shell sort, quick sort, heap sort and their analysis; Hashing-open and closed.

UNIT -5 18 HOURS

Database system: Role of Database system, Database system Architecture, Introduction to relational algebra and relational circuits. SQL- Basic features, including views, Integrity constrains; Database design- normalization up to BCNF.

SUGGESTED READINGS

1. S.B. Lipman, J. Lajoi: C++ Primer, Addison Wesley.
2. B. Stroustrup; The C++ programming Language, Addison Wesley.
3. C.J. Date : Introduction to Database systems, Addison wesley.
4. C. Ritehie: operating systems-Incorporating UNIX and windows, BPB Publications.
5. M.A. weiss, Data Structures and Algorithm Analysis in c++, Addison Wesley

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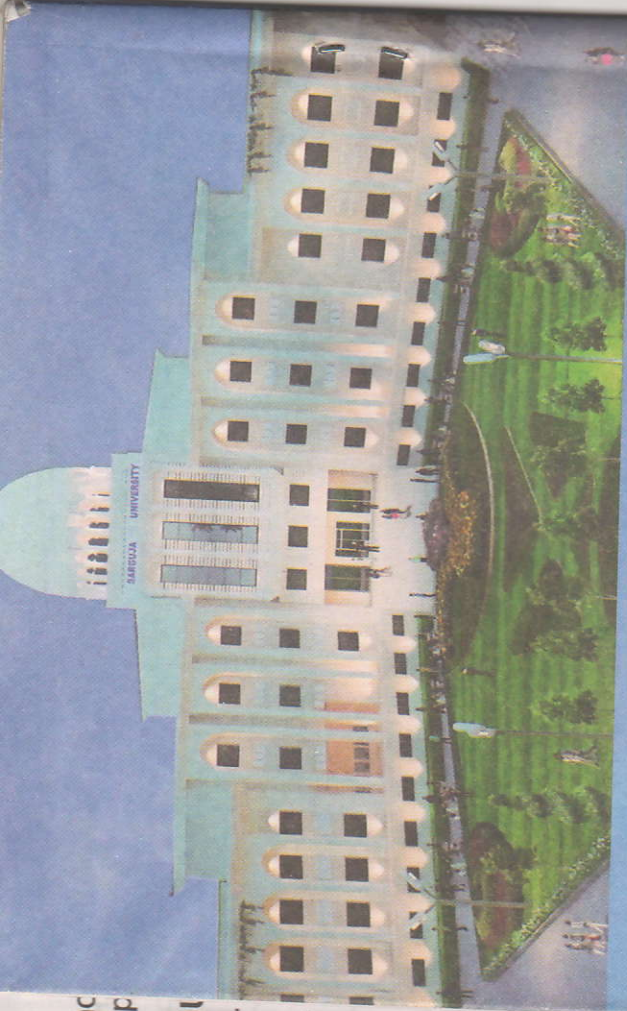
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प्रस्तावित संत गहिरा गुरु विश्वविद्यालय भवन एवं परिसर स्थल -ग्राम भकुरा



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